



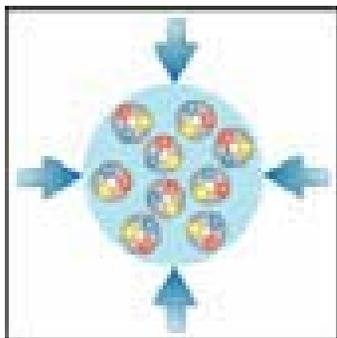
Status of the FEE developments for diamond detectors at GSI - Detektorlabor



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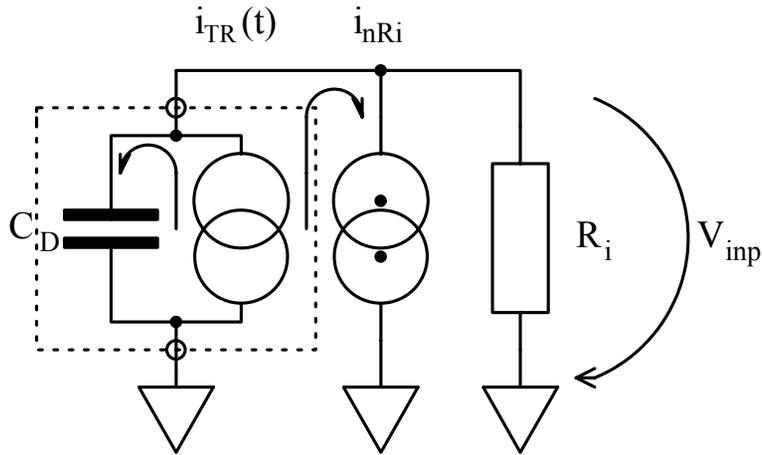
Outline



- A trial for the analytical model of the Diamond Detector - FEE Assemblies
- PADI-4 , a fast Preamplifier-Discriminator for Diamond Detectors
- DLNA, a Low Noise Amplifier for Diamonds Detectors
- Summary and Outlook

A trial for the analytical
model of the Diamond
Detector - FEE Assemblies

The First Step: Detector ideal (the charge is instantaneously collected) and FEE consists just from one resistor



$$\int_{-\infty}^{\infty} i_{TR}(t) dt = \int_{-\infty}^{\infty} Q_{col} \cdot \delta(t) dt = Q_{col}$$

$$i_C(t) = I_0 e^{-t/\tau_S} \quad Q_{col} = \int_0^{\infty} i_C(t) dt = I_0 \cdot \tau_S$$

$$i_C(t) = Q_{col}/\tau_S \cdot e^{-t/\tau_S} \quad V_S = R_i \cdot i_C(0) = Q_{col} / C_D$$

$$v_{S\delta}(t) = Q_{col}/C_D \cdot e^{-t/\tau_S}$$

$$P_n(T, \Delta f) = 4 \cdot k \cdot T \cdot \Delta f = i_{nRi}^2 \cdot R_i$$

$$V_{Nin}^2(f) = i_{nRi}^2 / \Delta f \cdot |Z(f)|^2 = i_{nRi}^2 / \Delta f \cdot R_i^2 / (1 + f^2/f_{uS}^2)$$

$$V_{Nin}^2 = i_{nRi}^2 / \Delta f \cdot R_i^2 \cdot f_{uS} \cdot \pi/2 = 4 \cdot k \cdot T / (4 \cdot C_D) = k \cdot T / C_D$$

$$S/N = Q_{col} / \sqrt{k \cdot T \cdot C_D}$$

$$\sigma_t = \frac{\sqrt{k \cdot T / C_D}}{2.28 \cdot Q_{col} \cdot BW_A / C_D} = \frac{\sqrt{k \cdot T \cdot C_D}}{2.28 \cdot Q_{col} \cdot BW_A}$$

Simplified equivalent schematic for noise estimations: DD is connected to a simple measurement device represented by the R_i resistor.

SLUO LECTURE SERIES. LECTURE # 10
H. SPIELER. December 18, 1998

$$\sigma_t = \sigma_n / (dv/dt)$$

$$t_{rA} = 0.35/BW_A$$

$$dv/dt = 0.8 \cdot V_S / t_{rA} = 2.28 \cdot Q_{col} \cdot BW_A / C_D$$



The Second Step: Detector ideal, FEE consists from one amp. with Noise Factor F and the frequency bandwidth BW

$$F = \frac{e^2_{nRs} + e^2_{neq}}{e^2_{nRs}} = 1 + \frac{e^2_{neq}}{e^2_{nRs}} \quad e^2_{neq} = (F - 1) \cdot e^2_{nRs} \quad i^2_{neq} = (F - 1) \cdot i^2_{nRs}$$

$$i^2_{neq} / \Delta f = 4k \cdot T \cdot (F - 1) / R_i \quad S / N = Q_{col} / \sqrt{k \cdot T \cdot (F - 1) \cdot C_D}$$

$$|G_A(f)| = G_0 / (1 + f^2 / f_{uA}^2)^{1/2}$$

$$V_{Nou}^2(f) = i^2_{nRi} / \Delta f \cdot |Z(f)|^2 \cdot |G_A(f)|^2 = i^2_{nRi} / \Delta f \cdot R_i^2 \cdot G_0^2 / [(1 + f^2 / f_{uS}^2) \cdot (1 + f^2 / f_{uA}^2)]$$

$$V_{Nou}^2 = i^2_{nRi} / \Delta f \cdot R_i^2 \cdot G_0^2 \cdot f_{uS} \cdot f_{uA} / (f_{uS} + f_{uA}) \cdot \pi / 2 = \frac{k \cdot T \cdot (F - 1) \cdot G_0^2}{C_D \cdot (1 + \tau_A / \tau_S)}$$

$$v_{A\delta}(t) = V_A \cdot e^{-t/\tau_A} \quad \int_{-\infty}^{\infty} v_{A\delta}(t) dt = V_A \cdot \tau_A = G_0 \cdot \int_{-\infty}^{\infty} \delta(t) dt = G_0 \cdot 1$$

$$v_{out}(t) = v_{S\delta}(t) \otimes v_{A\delta}(t) = \int_{-\infty}^{\infty} v_{S\delta}(u) v_{A\delta}(t-u) du = V_S \cdot V_A \cdot e^{-t/\tau_A} \cdot \int_{-\infty}^{\infty} e^{u(1/\tau_A - 1/\tau_S)} du$$

$$\tau_A = \tau_S \quad v_{out}(t) = V_S \cdot V_A \cdot e^{-t/\tau_A} \cdot t = \frac{Q_{col}}{C_D} \cdot \frac{G_0}{\tau_A} \cdot e^{-t/\tau_A} \cdot t \quad v_{out}(t_M) = \frac{Q_{col}}{C_D} \cdot \frac{G_0}{e}$$

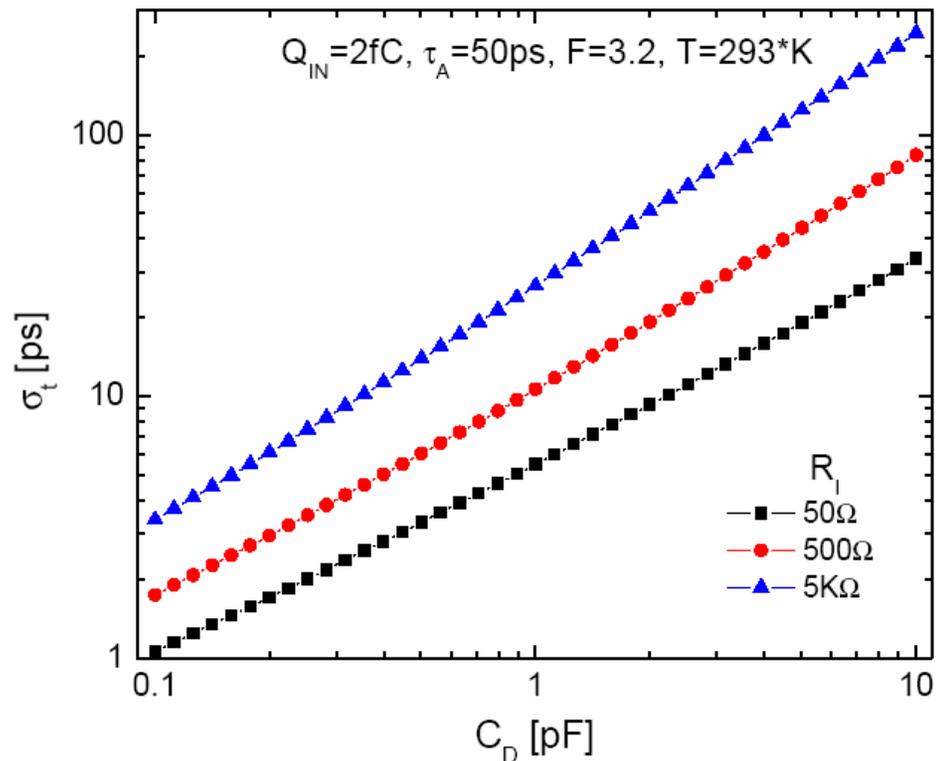
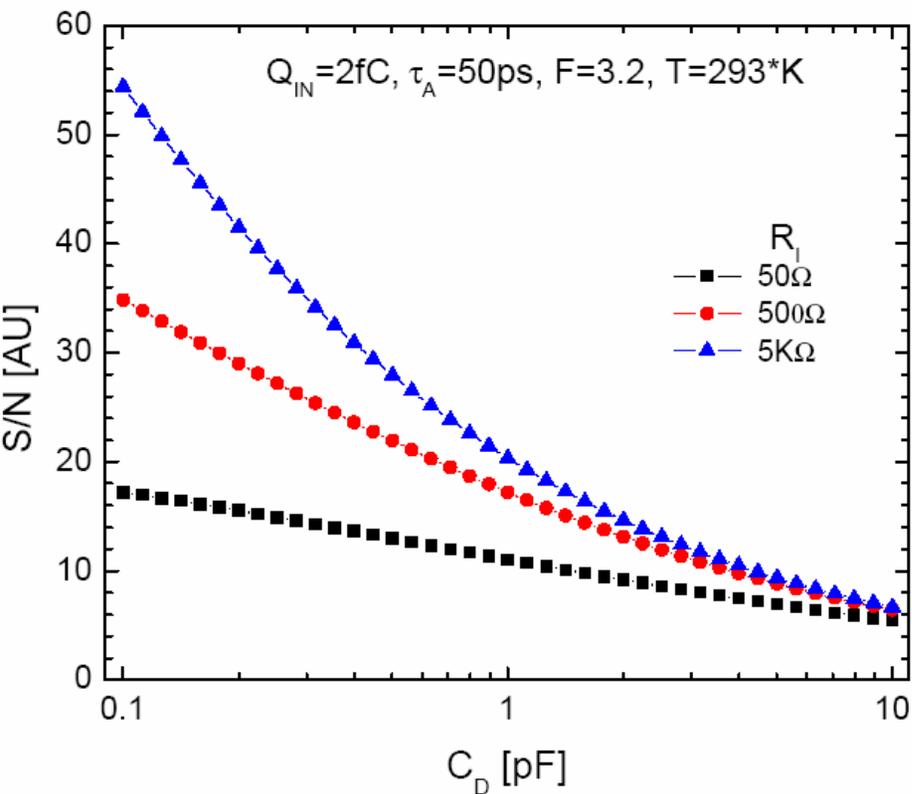
$$\tau_A \neq \tau_S \quad v_{out}(t) = \frac{Q_{col}}{C_D} \cdot G_0 \cdot \frac{\tau_S}{\tau_S - \tau_A} \cdot (e^{-t/\tau_S} - e^{-t/\tau_A}) \quad v_{out}(t_M) = \frac{Q_{col}}{C_D} \cdot G_0 \cdot \frac{1}{1-m} \cdot (e^{\frac{m \cdot \ln m}{1-m}} - e^{\frac{\ln m}{1-m}})$$

$$S/N = \frac{Q_{eol}}{\sqrt{k \cdot T \cdot (F-1) \cdot C_D}} \cdot \frac{\sqrt{1+m}}{1-m} \cdot (e^{\frac{m \cdot \ln m}{1-m}} - e^{\frac{\ln m}{1-m}}) \quad \sigma_t = \frac{\tau_A \cdot \sqrt{k \cdot T \cdot (F-1) \cdot C_D}}{Q_{eol}} \cdot \frac{1-m}{\sqrt{1+m}} \cdot \frac{1}{e^{\frac{\ln m}{2(1-m)}} - m e^{\frac{m \cdot \ln m}{2(1-m)}}}$$

$$m = \tau_A / \tau_S$$



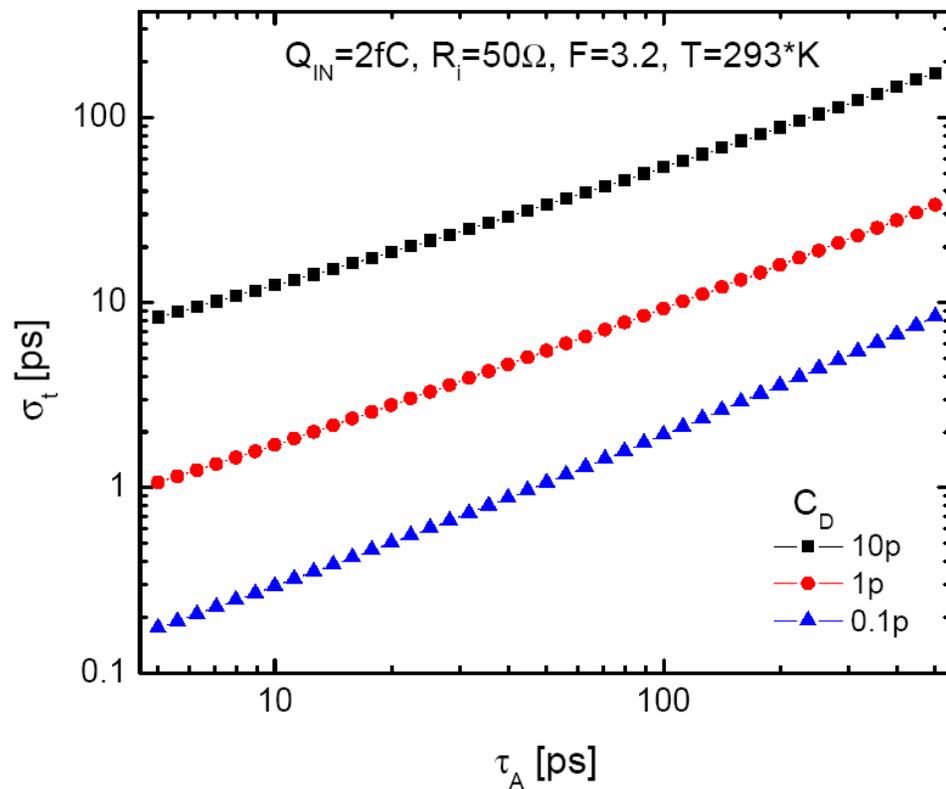
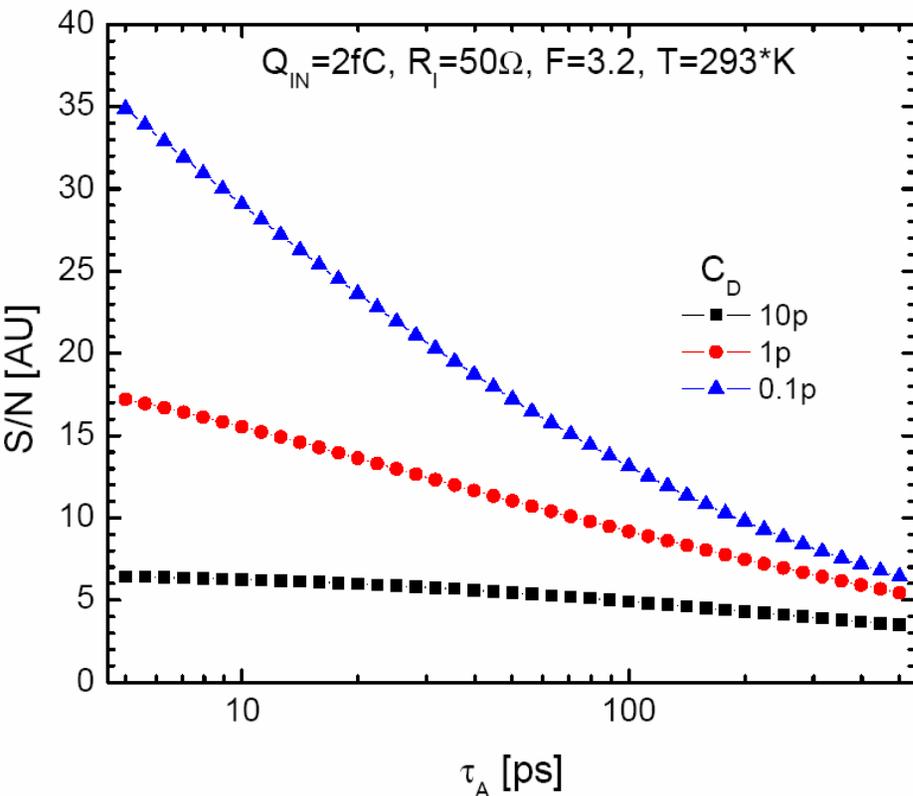
Results 1 for the Ideal case



S/N (left) and σ_t (right) as a function of C_D with R_i as parameter



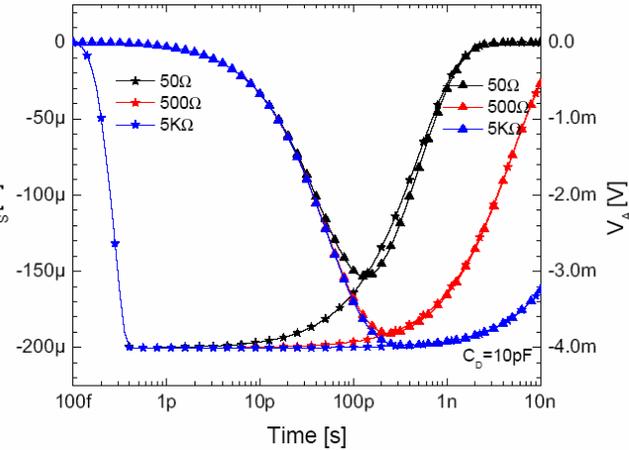
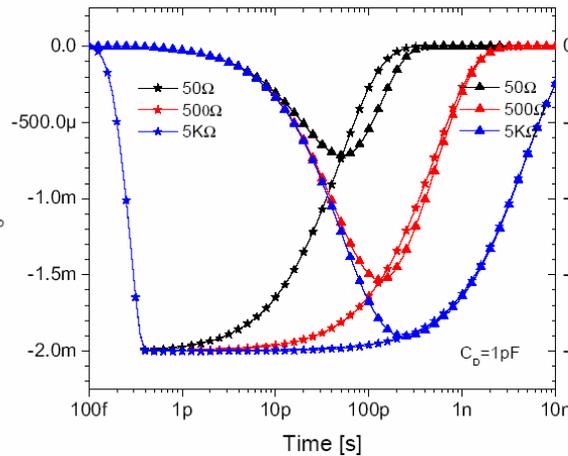
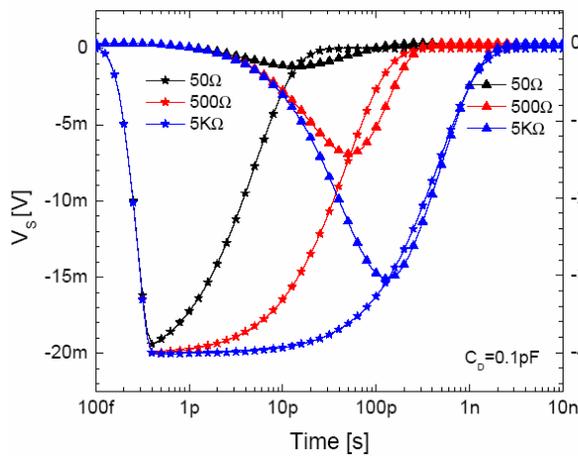
Results 2 for the Ideal case



S/N (left) and σ_t (right) as function of τ_A with C_D as parameter



APLAC simulations for intuitive understanding of "ballistic deficit" errors



$C_D=0.1\text{pF}$ and $\tau_S=5\text{ps}$, 50ps and 500ps

$C_D=1\text{pF}$ and $\tau_S=50\text{ps}$, 500ps and 5ns

$C_D=1\text{pF}$ and $\tau_S=500\text{ps}$, 5ns and 50ns

Simulated signals of a DD-FEE ensemble. Stars denote the detector output signals (referring to the left ordinate), triangles the corresponding BBA output signals (right ordinate). Three different values of R_i are shown (50Ω , 500Ω and $5\text{K}\Omega$); $\tau_A=50\text{ps}$



The Third Step: The real detector is a scCVD diamond; we can apply the Shockley-Ramo theorem, for a parallel-plate detector

under the assumption of a homogeneously distributed space charge :

$$i_{e,h}(t) = \frac{Q_{gen} \cdot v(E)_{e,h}}{d} e^{t/\tau_{eff} - t/\tau_{e,h}}$$

where Q_{gen} is the generated charge, $v(E)_{e,h}$ is the charge velocity, d is the detector thickness, $\tau_{e,h}$ denotes the lifetime of excess electrons and holes and τ_{eff} is given by

$$\tau_{eff} = \frac{\varepsilon \cdot \varepsilon_0}{q \cdot \mu_{e,h} \cdot N_{eff}}$$

with $\mu_{e,h}$ the effective mobility of electrons and holes, ε the diamond permittivity, ε_0 the vacuum permittivity and q the elementary charge. N_{eff} denotes the net effective fixed space charge in the diamond bulk. If the carrier lifetime is sufficiently long:

$$v_{dr} = \frac{d}{t_{tr}} \quad i_{e,h}(t) = \frac{Q_{gen}}{t_{tr}} = const \quad \text{for } 0 < t < t_{tr}$$



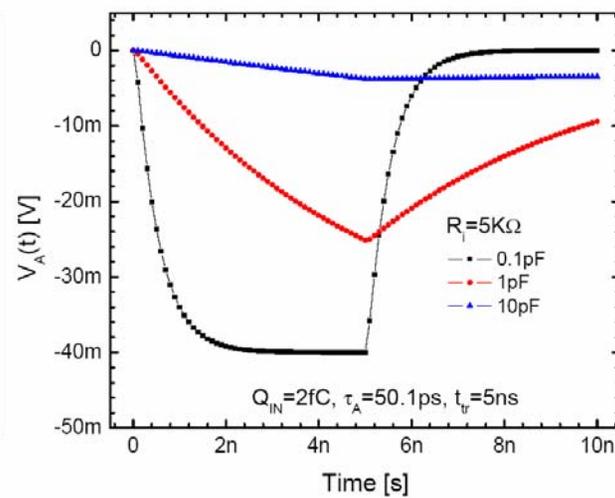
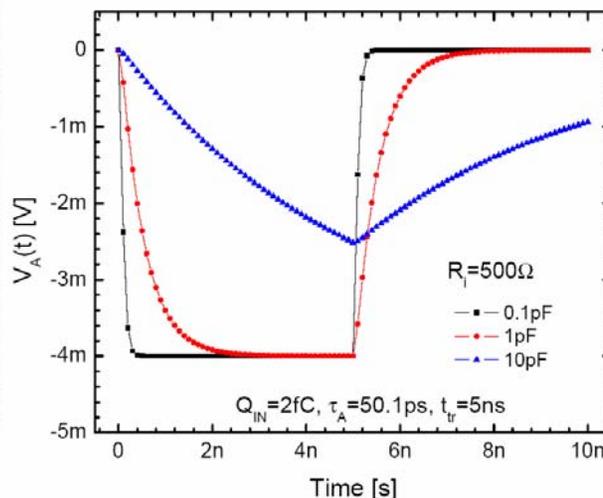
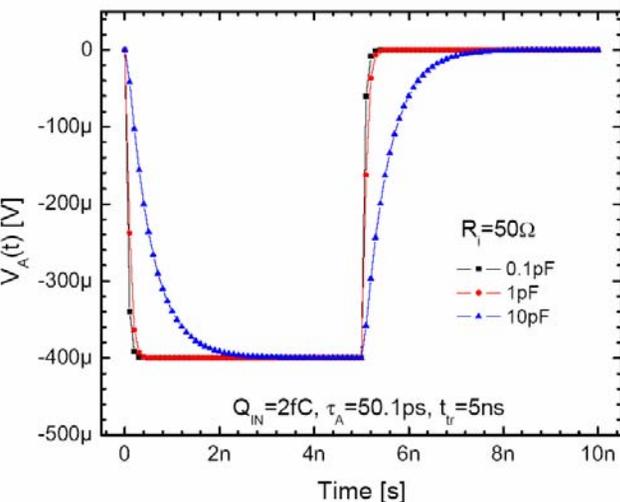
$$v_{out\delta}(t) = v_{out}(t) / Q_{col} \quad v_P(t) = v_{out\delta}(t) \otimes i_{e,h}(t) = \int_{-\infty}^{\infty} v_{out}(u) \cdot i_{e,h}(t-u) du$$

a) for $t \leq t_{tr}$

$$v_P(t) = \frac{Q_{gen} \cdot G_0}{C_D} \cdot \frac{\tau_S}{t_{tr}} \cdot \frac{(-e^{-t/\tau_S} + m \cdot e^{-t/\tau_A} + 1 - m)}{1 - m}$$

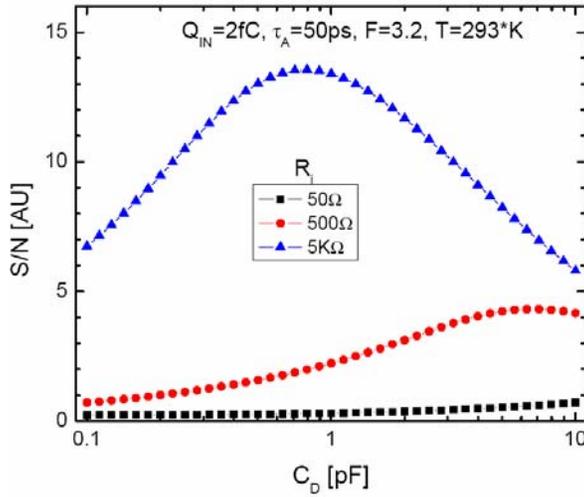
b) for $t > t_{tr}$

$$v_P(t) = \frac{Q_{gen} \cdot G_0}{C_D} \cdot \frac{\tau_S}{t_{tr}} \cdot \frac{(-(e^{-t/\tau_S} - e^{-(t-t_{tr})/\tau_S}) + m \cdot (e^{-t/\tau_A} - e^{-(t-t_{tr})/\tau_A}))}{1 - m}$$

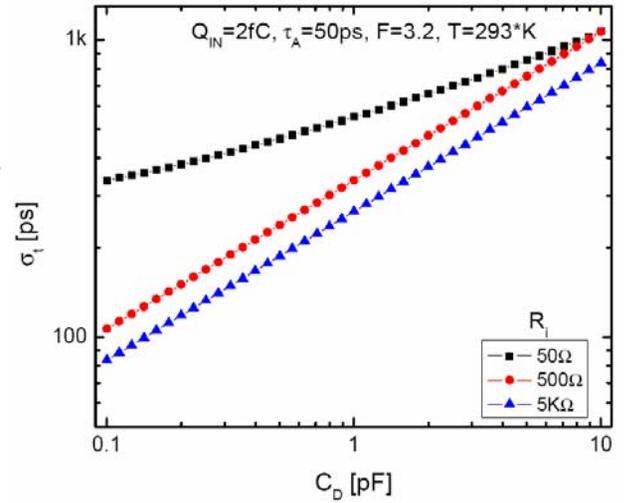


Transient response of a scCVD DD having $t_{tr} = 5ns$ and three values of $C_D = 0.1pF$, $1pF$ and $10pF$, for $R_i = 50\Omega$ (left), $R_i = 500\Omega$ (middle) and $R_i = 5K\Omega$ (right).

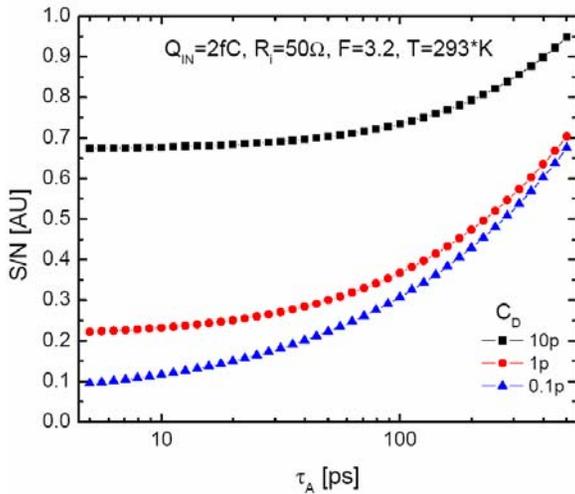
$$S/N = \frac{Q_{gen}}{\sqrt{k \cdot T \cdot (F-1) \cdot C_D}} \cdot \frac{\sqrt{1+m}}{1-m} \cdot \frac{\tau_S}{t_{tr}} \cdot (-e^{-t_{tr}/\tau_S} + m \cdot e^{-t_{tr}/\tau_A} + 1 - m)$$



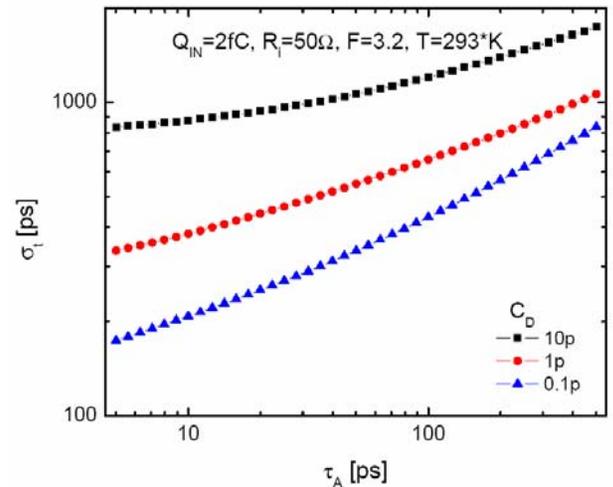
S/N ratio (left) and σ_t (right) as a function of C_D , for three values of R_i .

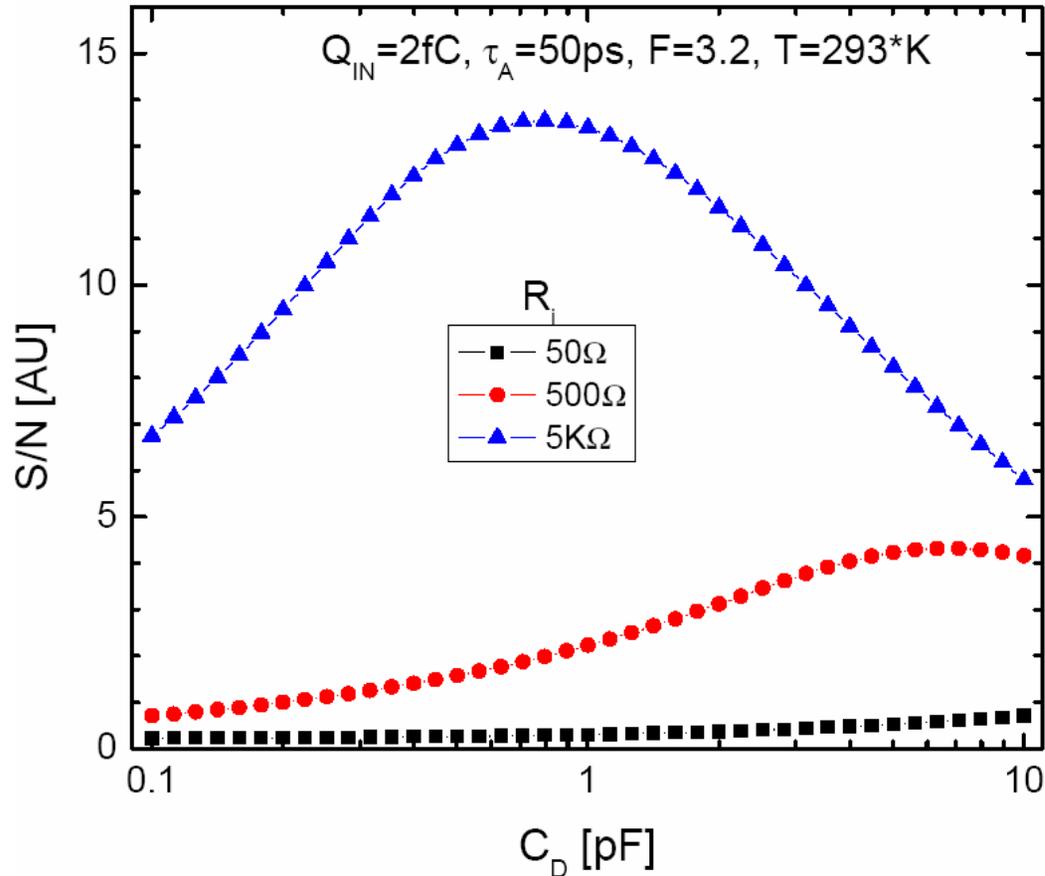


$$\sigma_t = \frac{t_{tr} \cdot \sqrt{k \cdot T \cdot (F-1) \cdot C_D}}{Q_{gen}} \cdot \frac{1-m}{\sqrt{1+m}} \cdot \frac{1}{e^{\frac{m \cdot \ln m}{2 \cdot (1-m)}} - e^{\frac{\ln m}{2 \cdot (1-m)}}}$$



S/N ratio (left) and σ_t (right) as a function of τ_A , for three values of C_D .





Maximums:

$$\tau_{S1} = 1\text{pF} \cdot 5000\Omega = 5\text{ns}$$

$$\tau_{S2} = 10\text{pF} \cdot 500\Omega = 5\text{ns}$$

in the analyzed case,
 $t_{tr} = 5\text{ns}$

The Signal/Noise ratio
 has a maximum for
 $\tau_S = \text{collection time}$

Helmudt Spieler

Radiation Detectors and Signal Processing (lecture series
 presented at University of Heidelberg, Oct. 10-14, 2005)

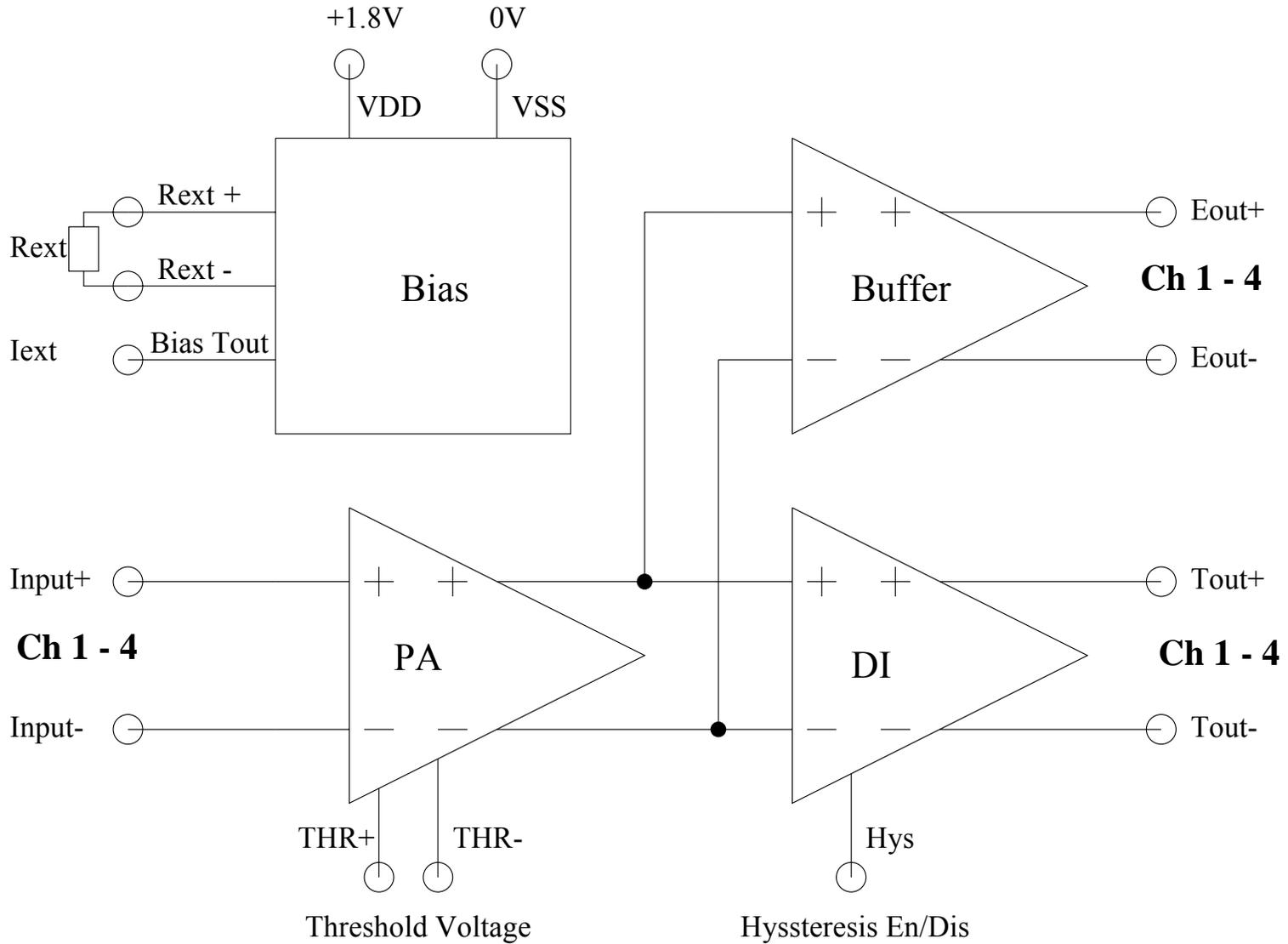
Good lectures: http://www-physics.lbl.gov/~spieler/Heidelberg_Notes_2005/pdf/IV_Signal_Processing.pdf

PADI

a fast PreAmplifier DIscriminator

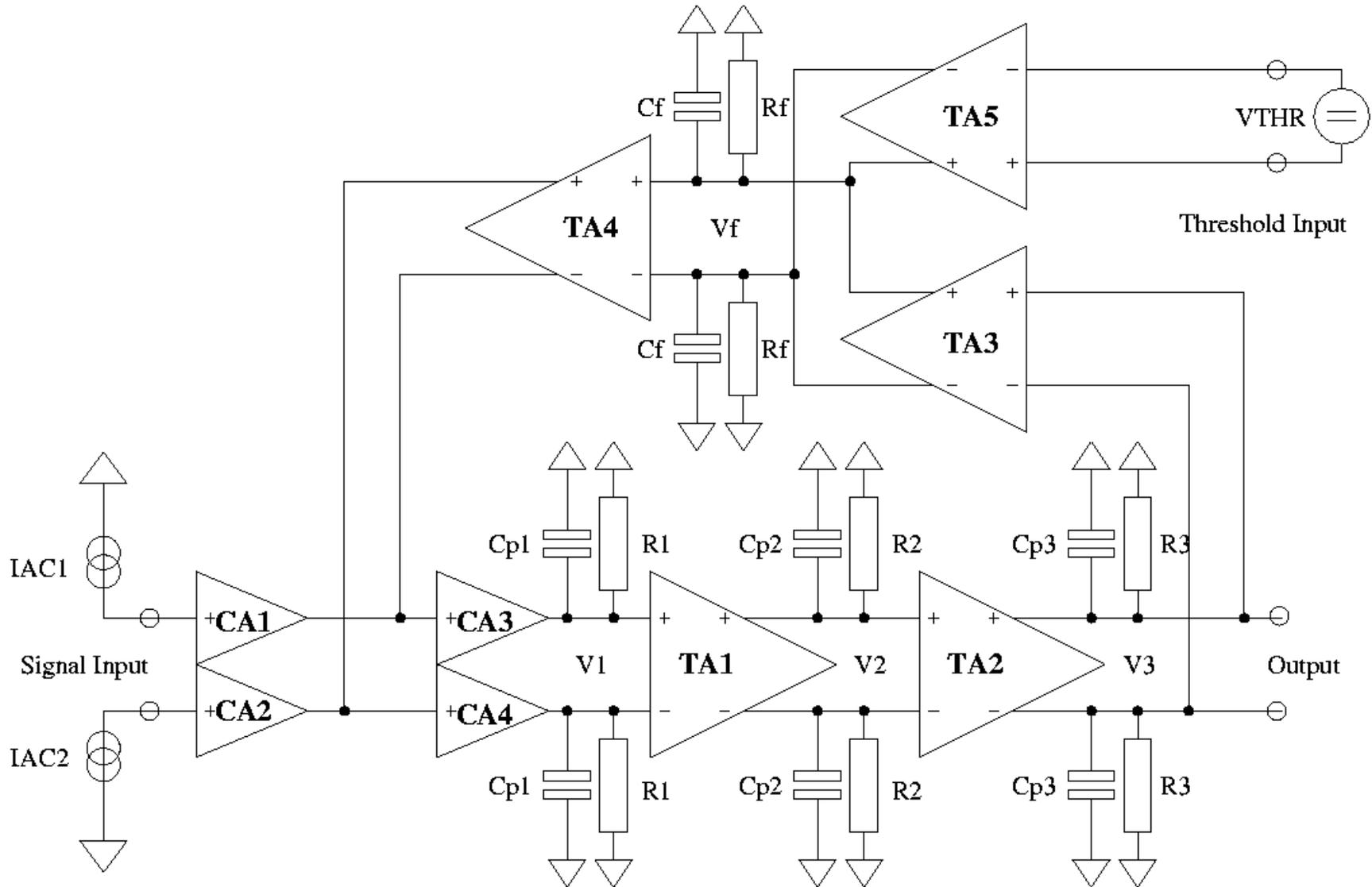


PADI : block diagram



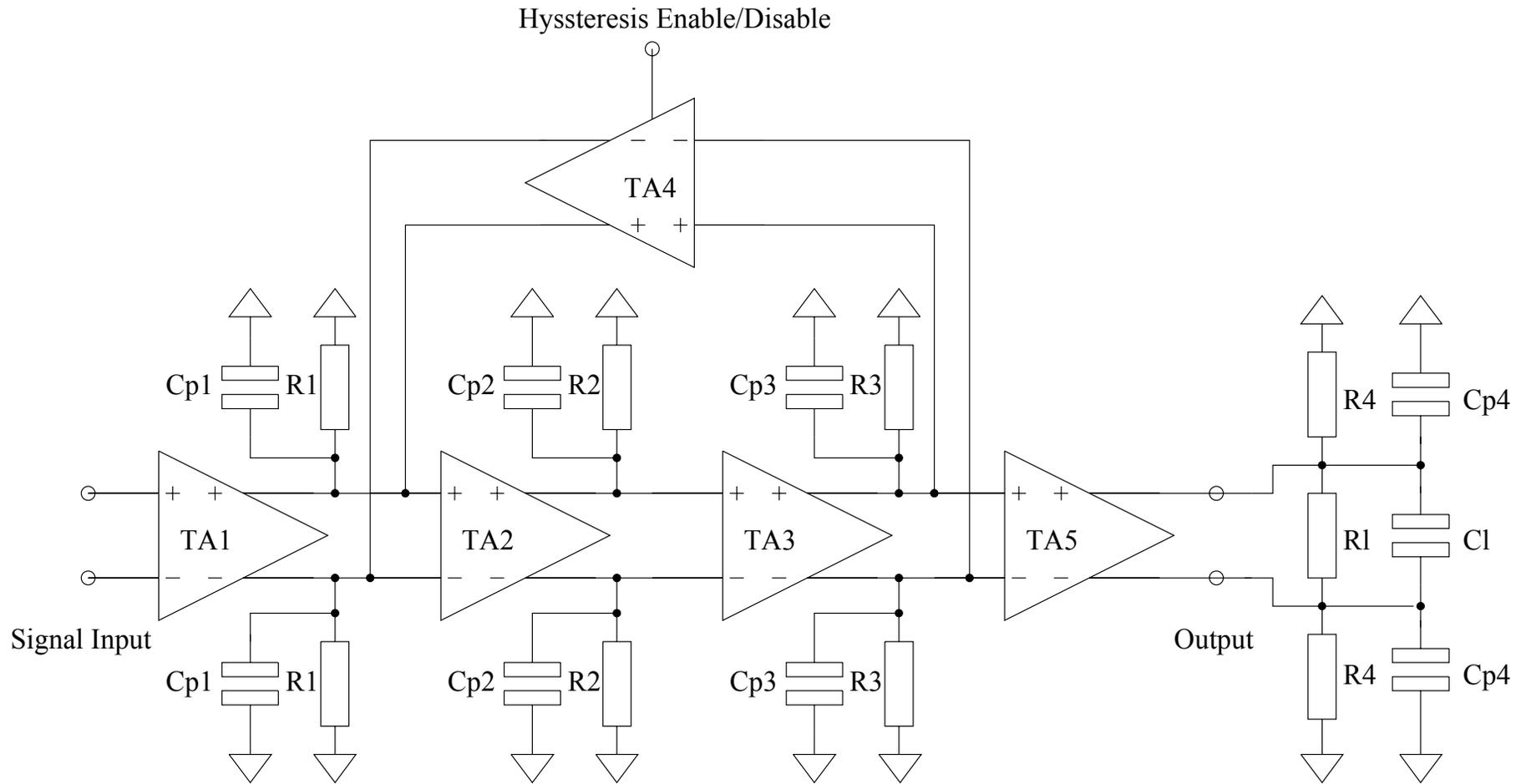


Preamplifier: AC equivalent diagram



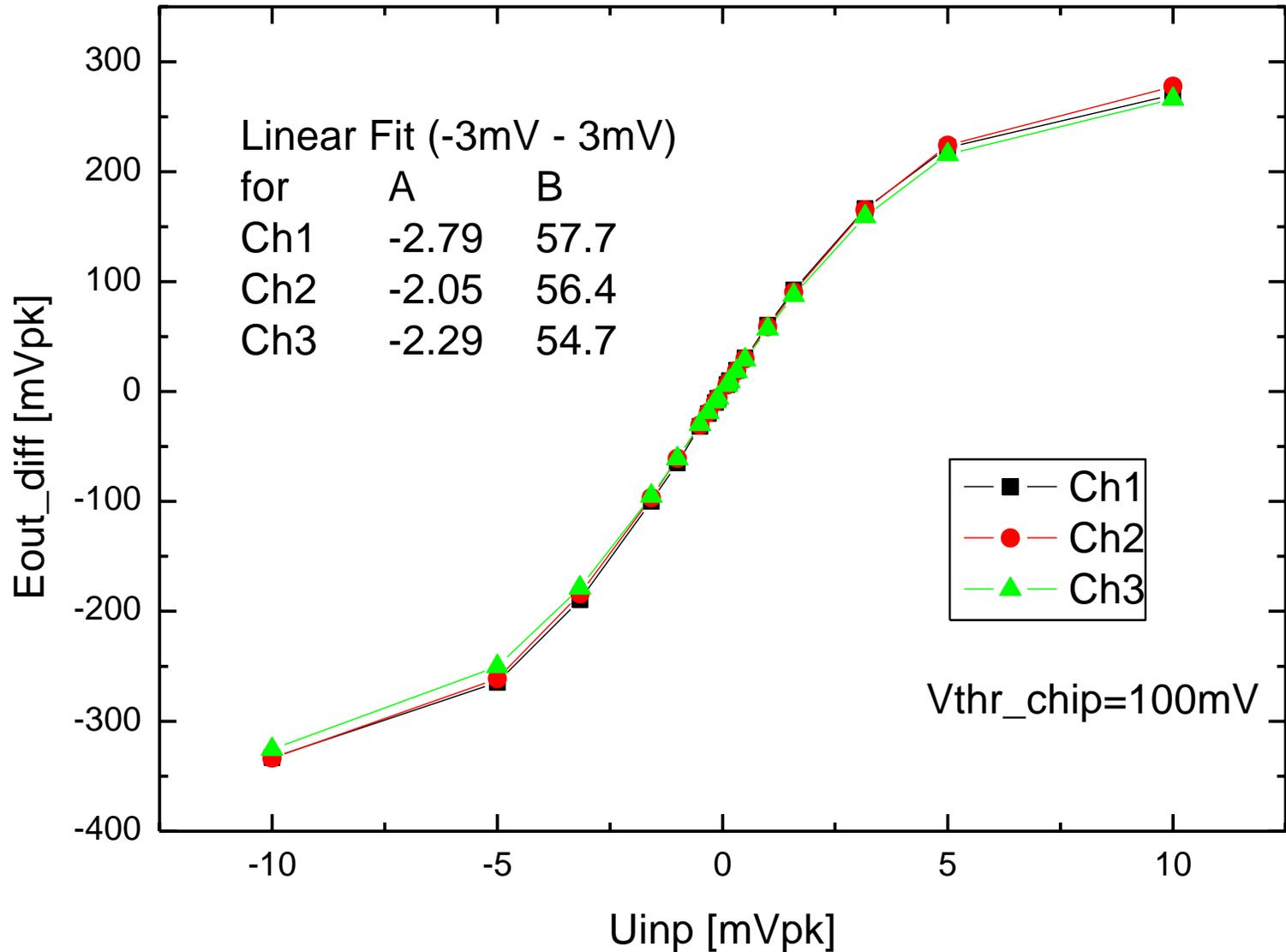


Discriminator: AC equivalent diagram

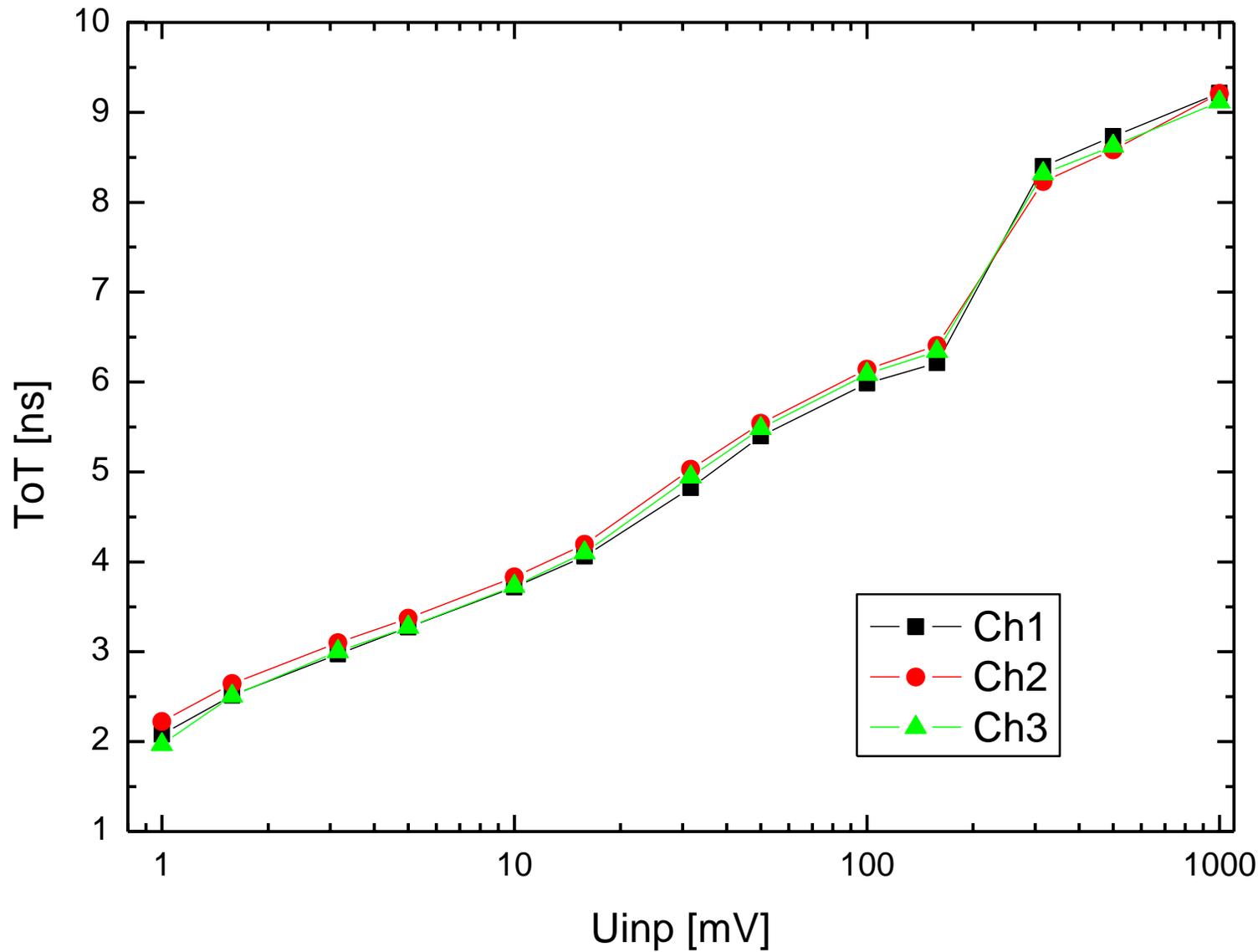


Linearity: Pulse Measurement

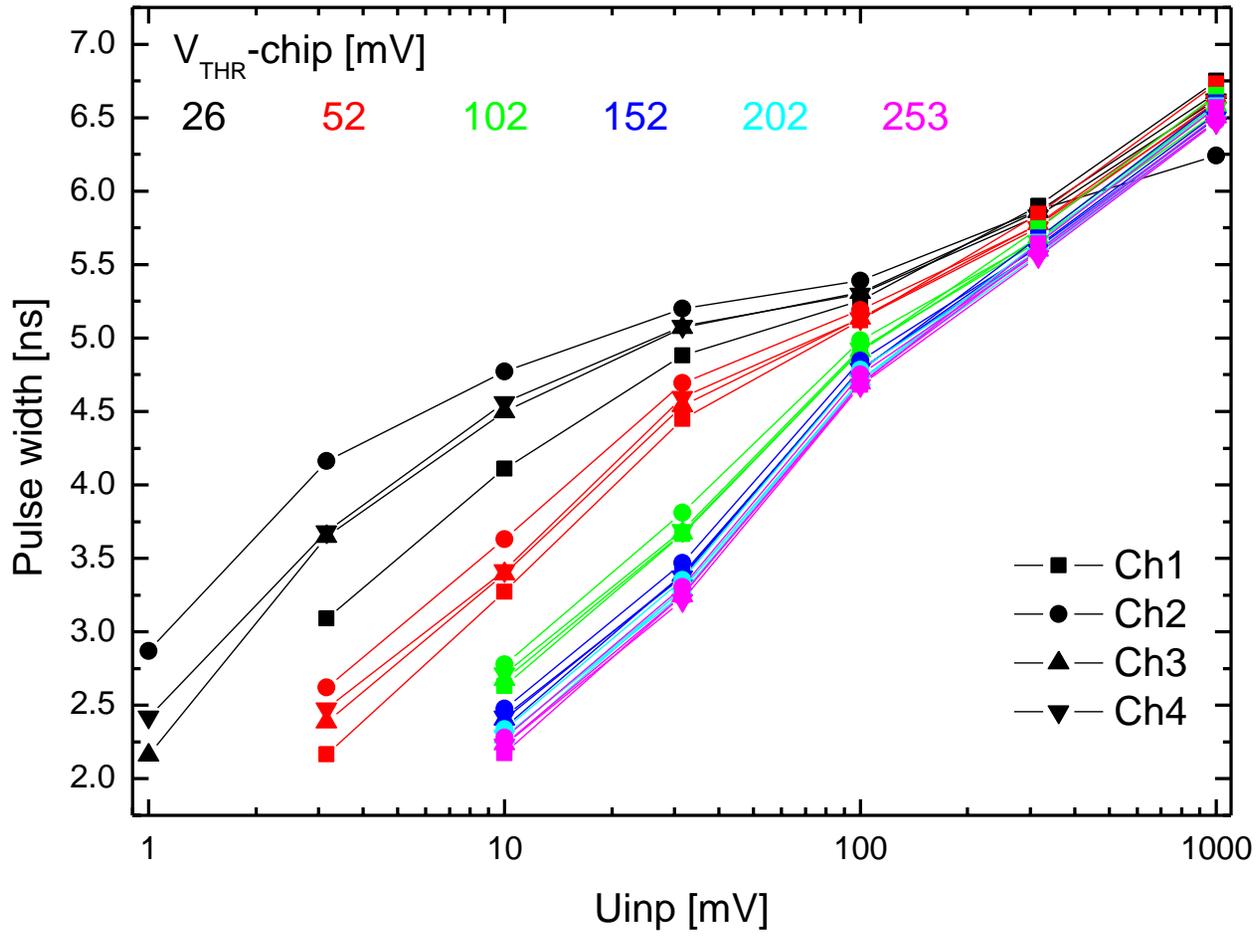
PADI #2, Linearity, 5.5ns pulse applied at positive and negative inputs



PADI #1, Short Pulse, Time over Threshold



Time over Threshold behavior



PADI-4

A variant for Diamond detectors

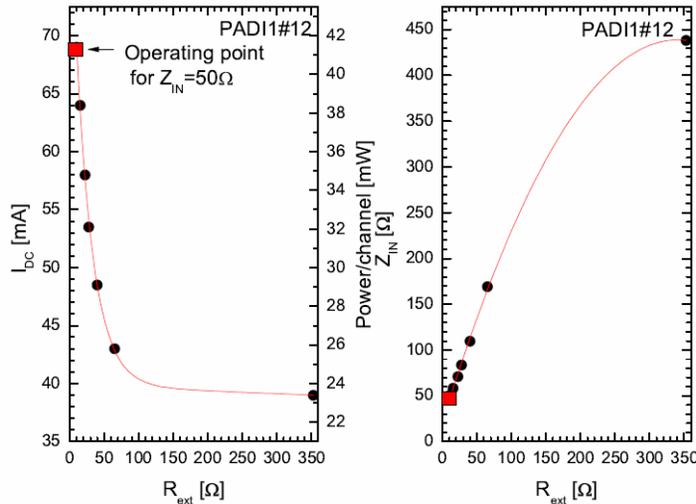
Main differences of PADI4 relative to PADI2, 3 are in the Preamplifier Design:

1. Input Cascode transistors have a area size 16 times smaller.
2. The Cascode load transistors have a area size ~ 4 times smaller.
3. The current of the input stage is 14 times smaller.

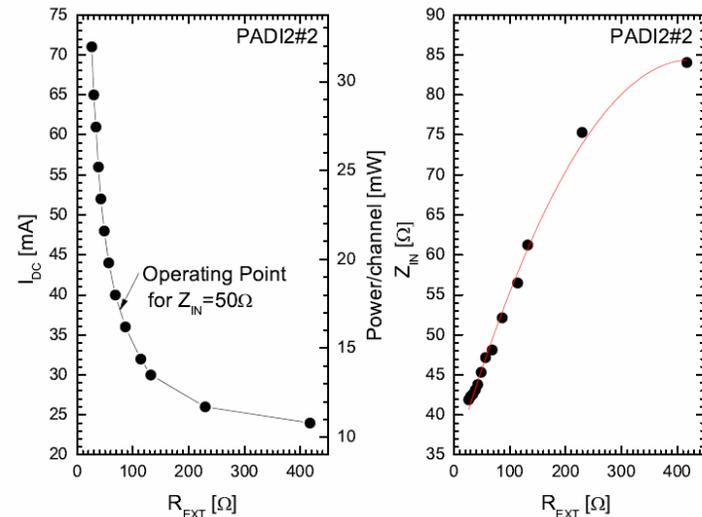
The consequences are the followings:

1. The AC small signal gain is ~ 2 times smaller.
2. The AC input impedance is bigger (see graphs).
3. The output Noise is ~ 1.5 times bigger.
4. The Charge responsivity is ~ 2.7 times bigger.

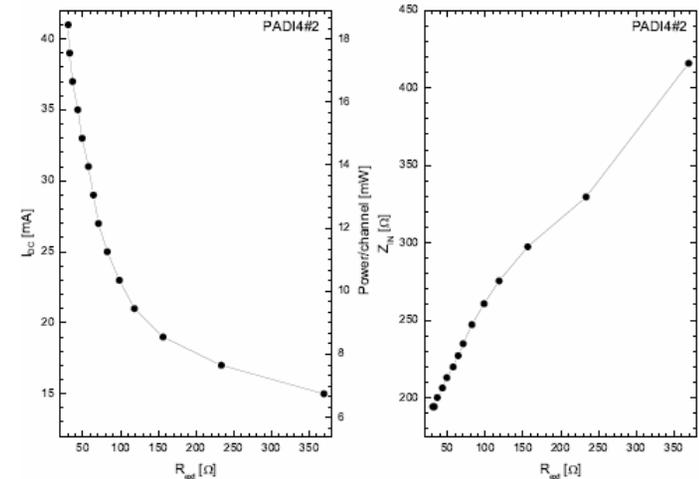
PADI1

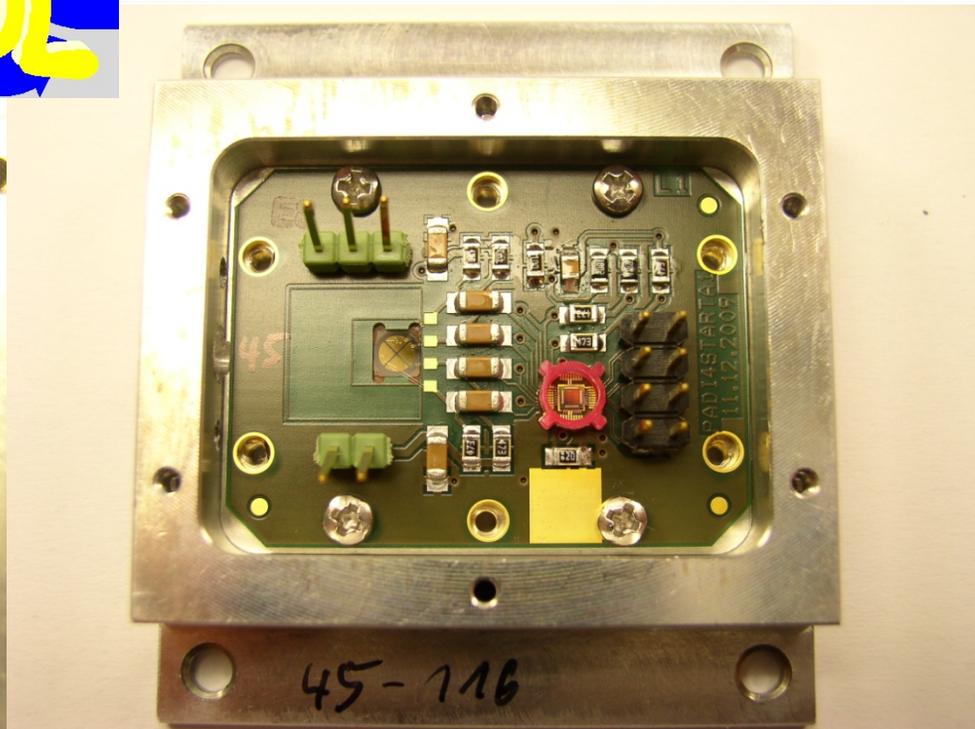
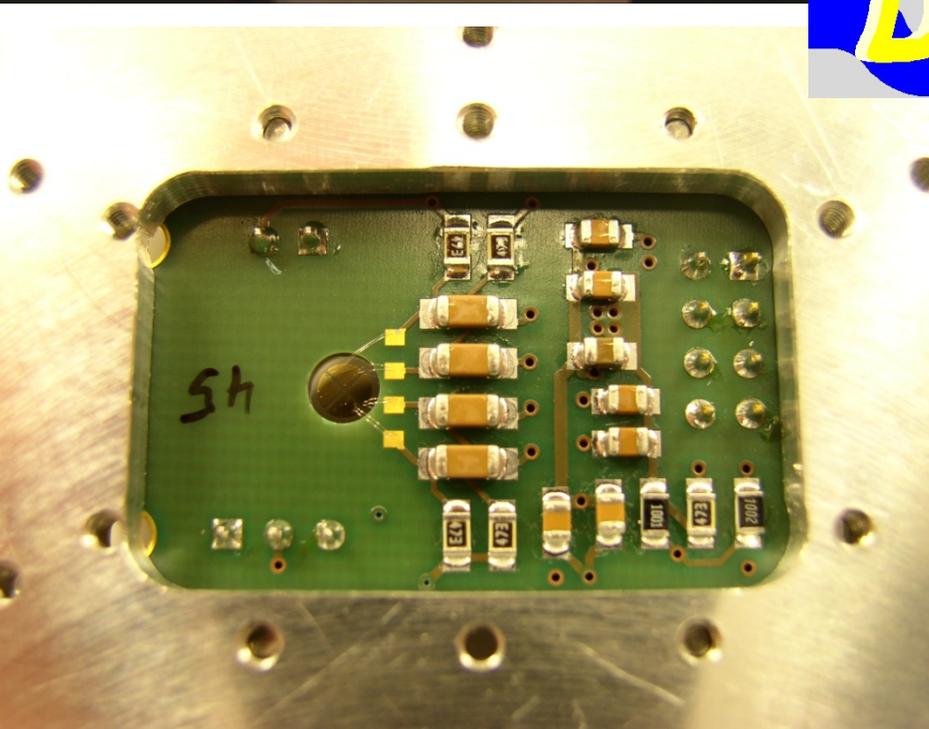
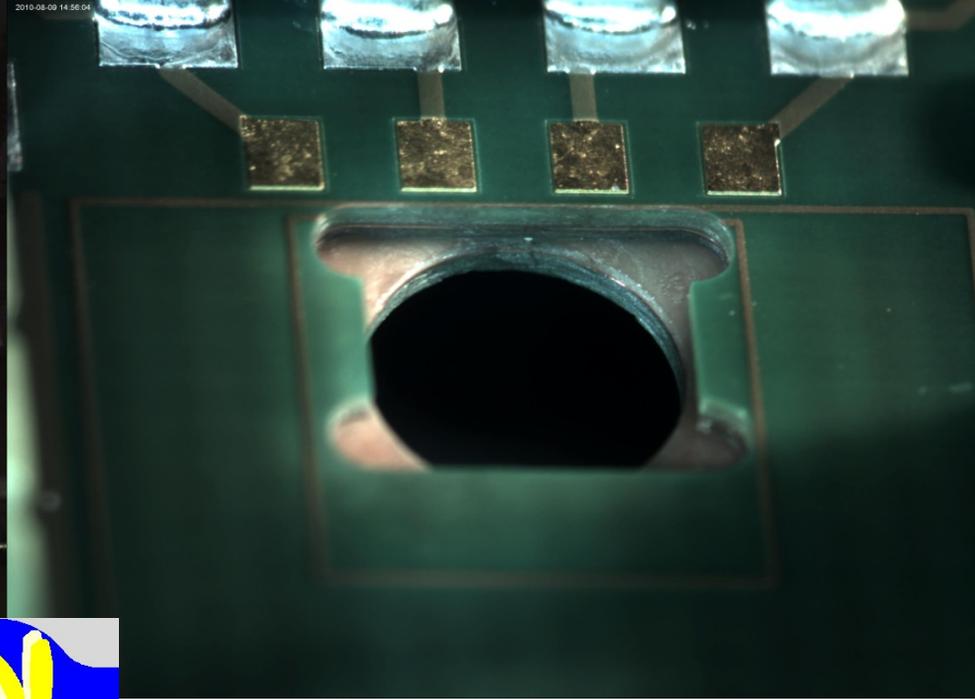
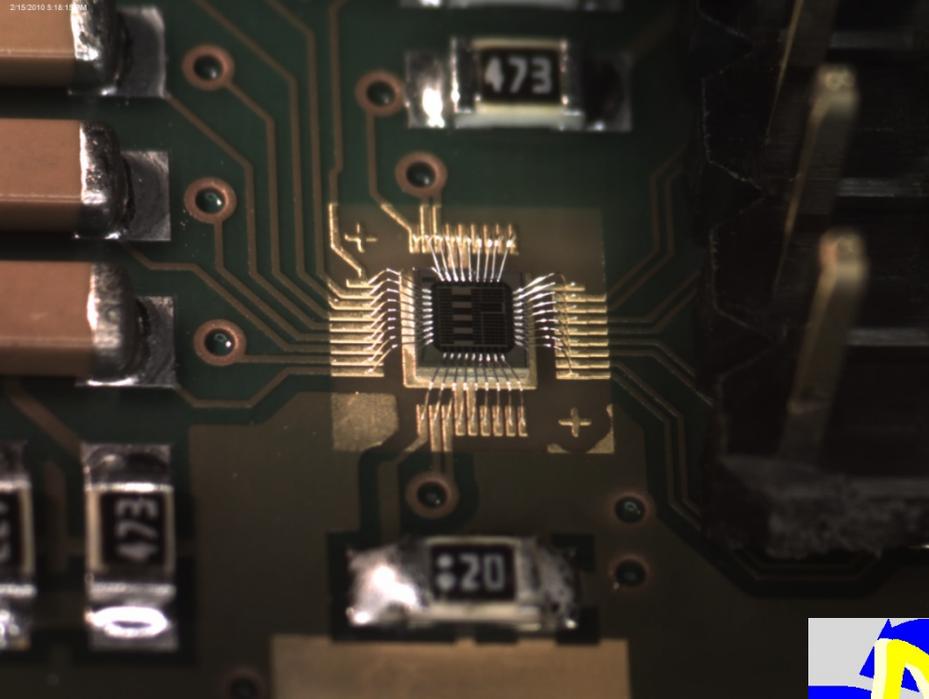


PADI2,3



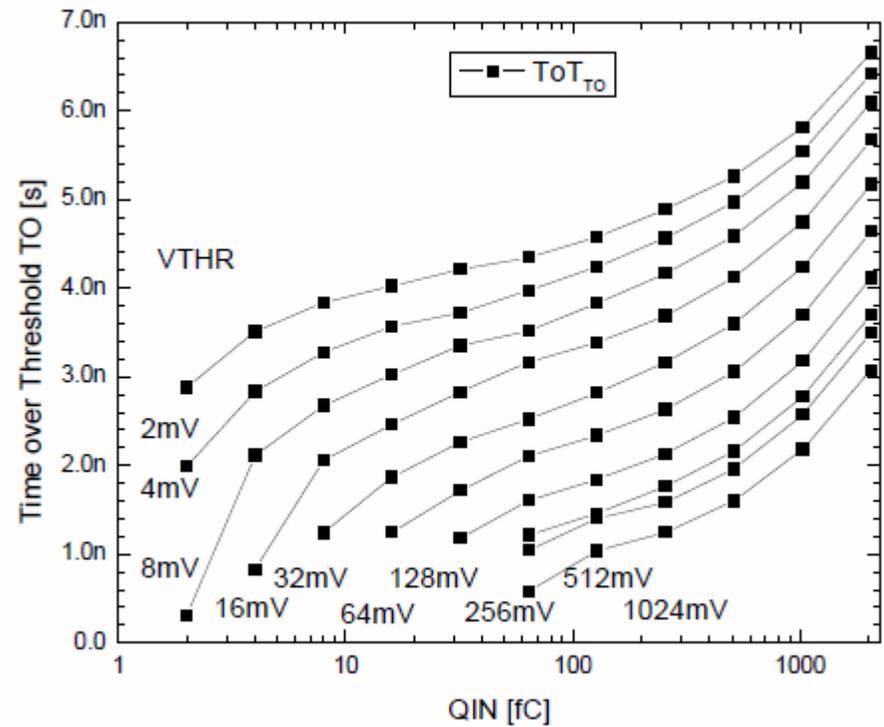
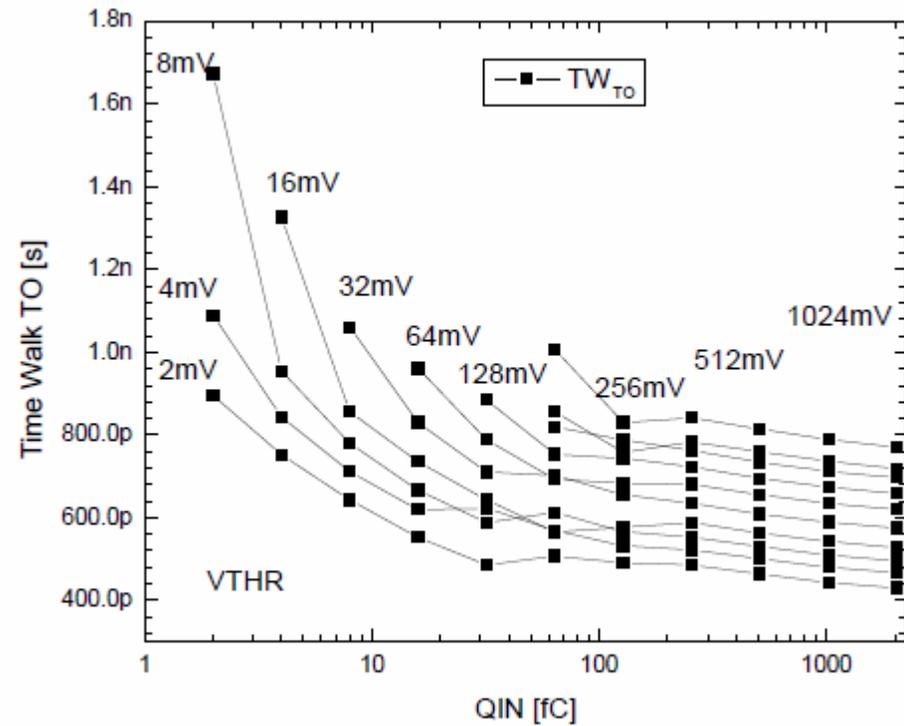
PADI4

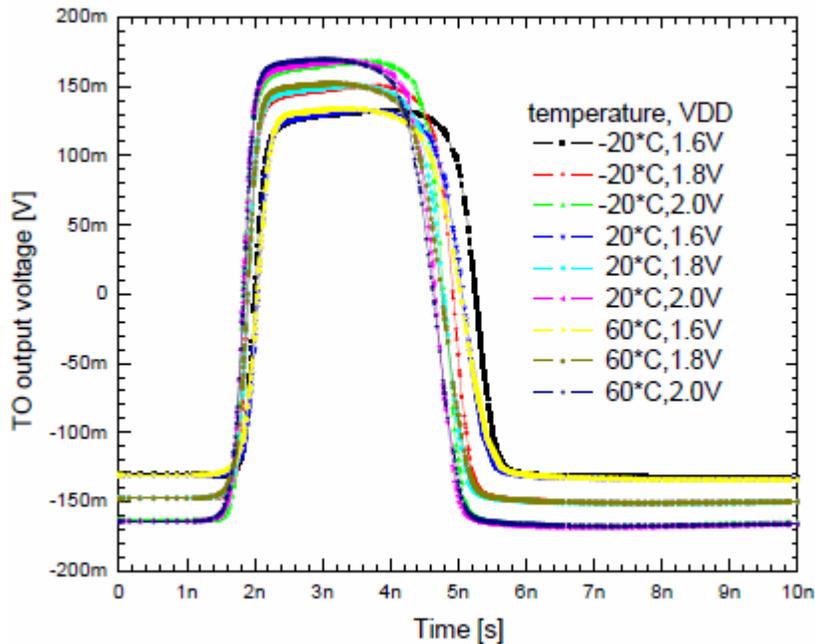
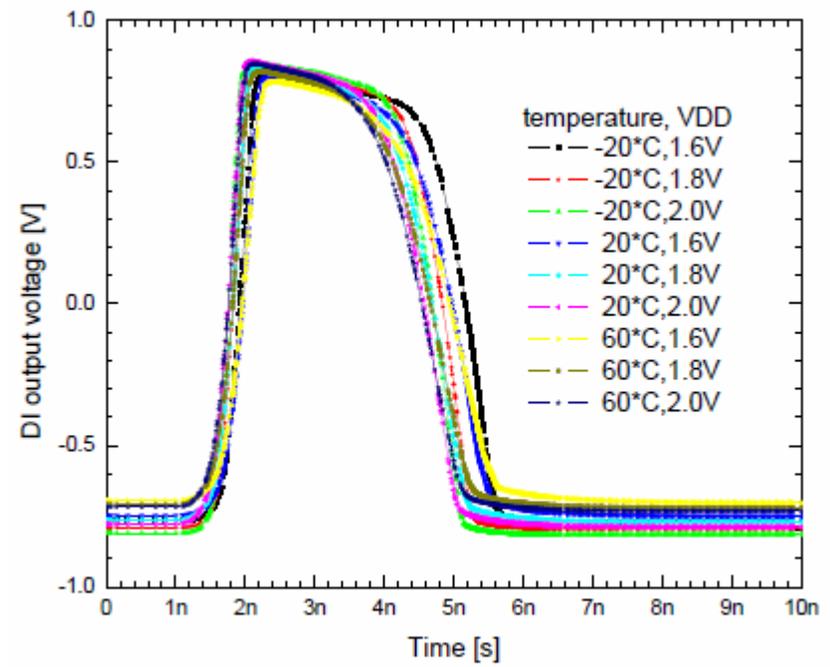
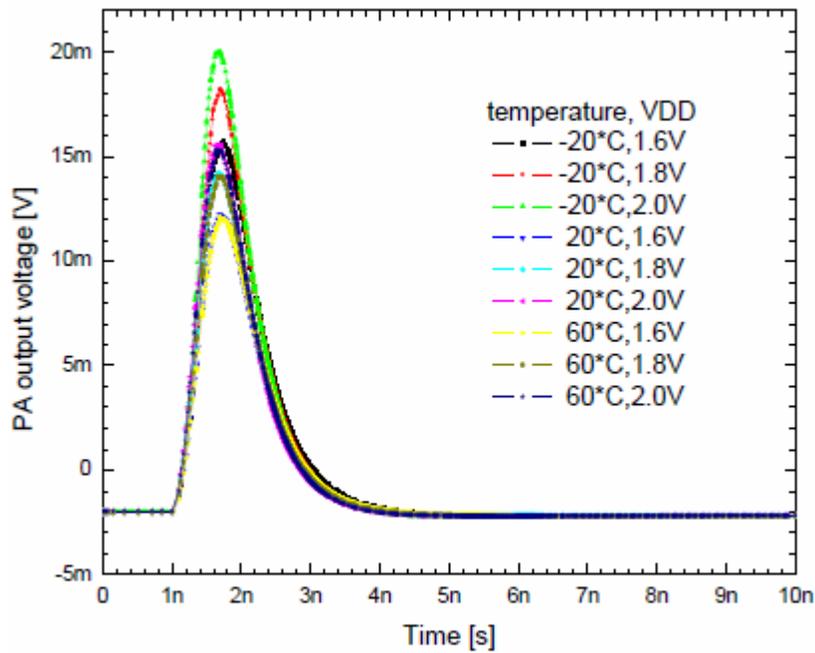






PADI-5; Time Walk and Time over Threshold dependence to QIN and VTHR





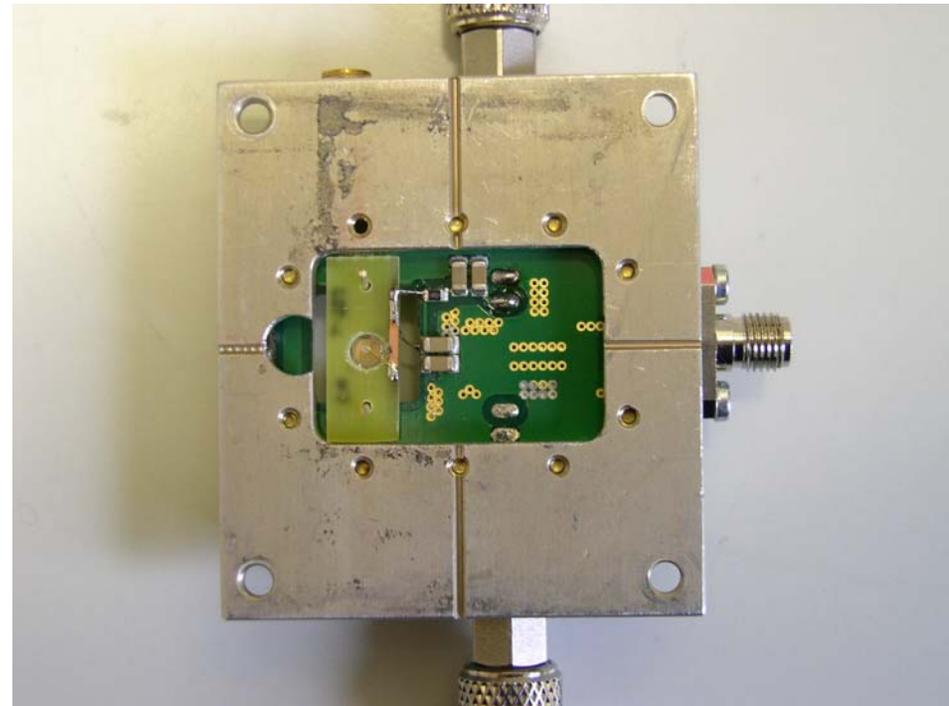
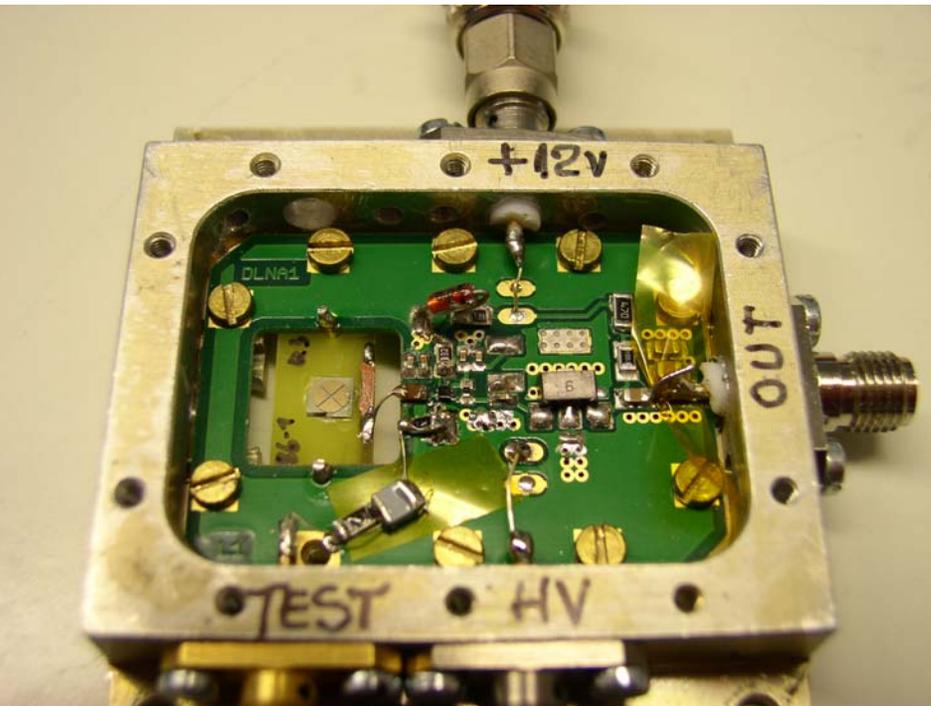
PADI-5 Transient response to $Q_{IN}=2fC$, at $V_{THR}=2mV$, for different temperatures (-20, 20, 60°C) and VDD (1.6, 1.8, 2.0 V)



DLNA

(Diamond Low Noise Amplifier)

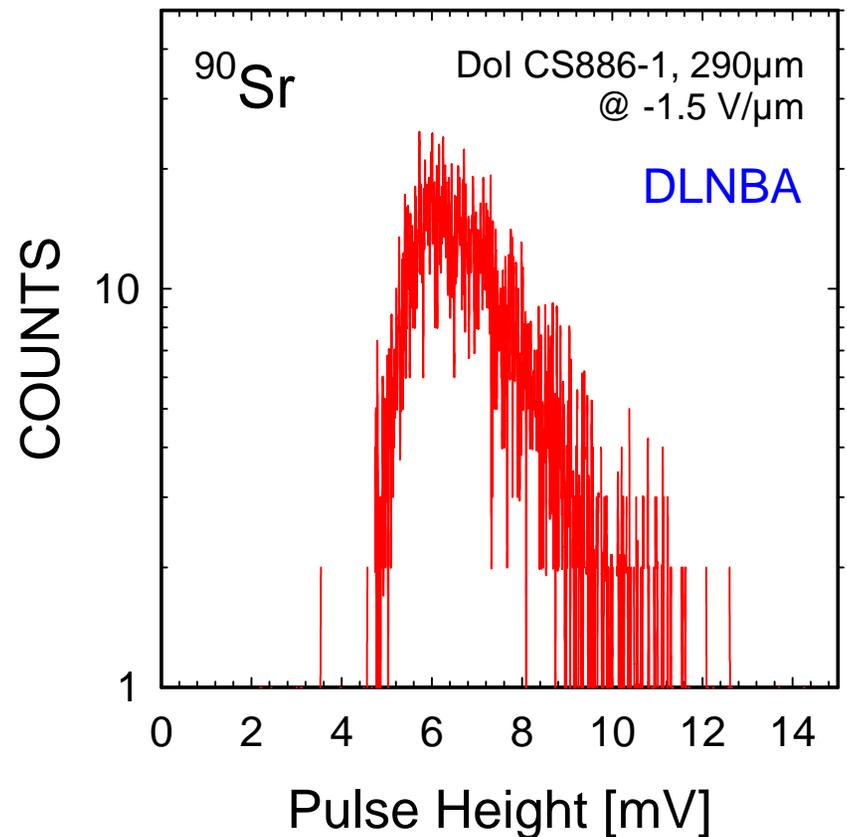
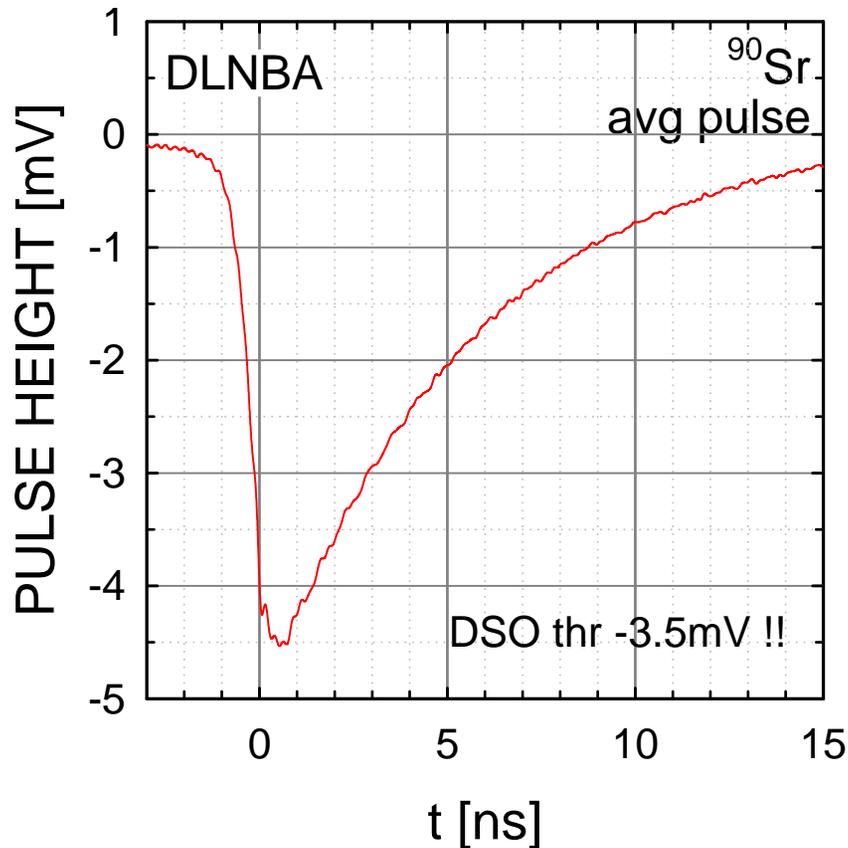
The BGU7003 MMIC is a wideband amplifier in SiGe:C technology from NXP Semiconductors (Philips)-2009: low noise and high gain, recommended for frequency interval 40MHz - 6GHz, made in large scale, for handy's - low cost!



DEVELOPMENT OF NEW PAD ASSEMBLIES (GSI)

First laboratory tests with the new
Diamond Low Noise Broadband Amplifier **DLNBA**

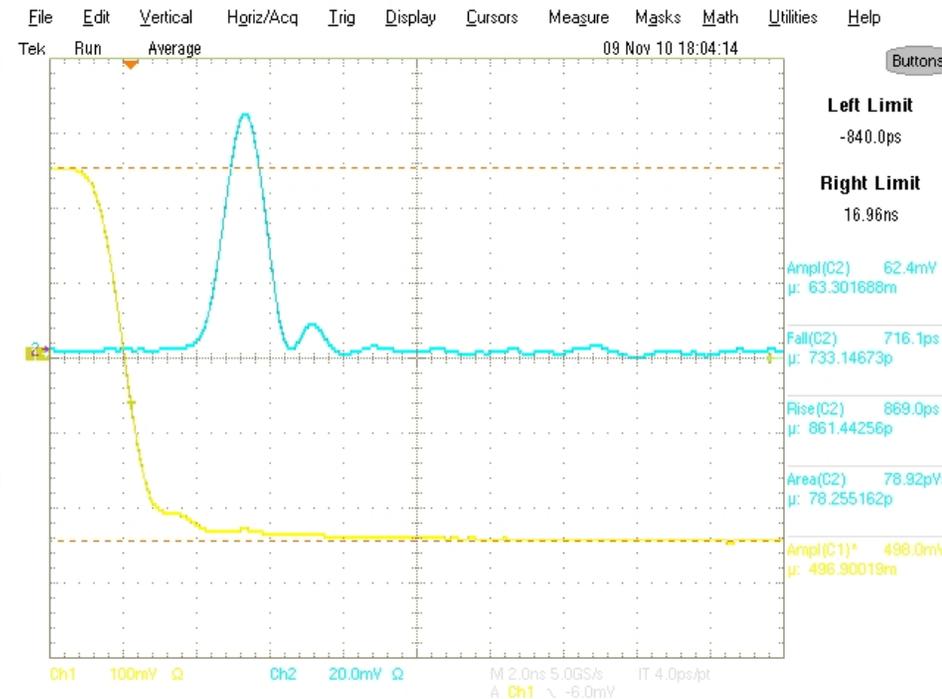
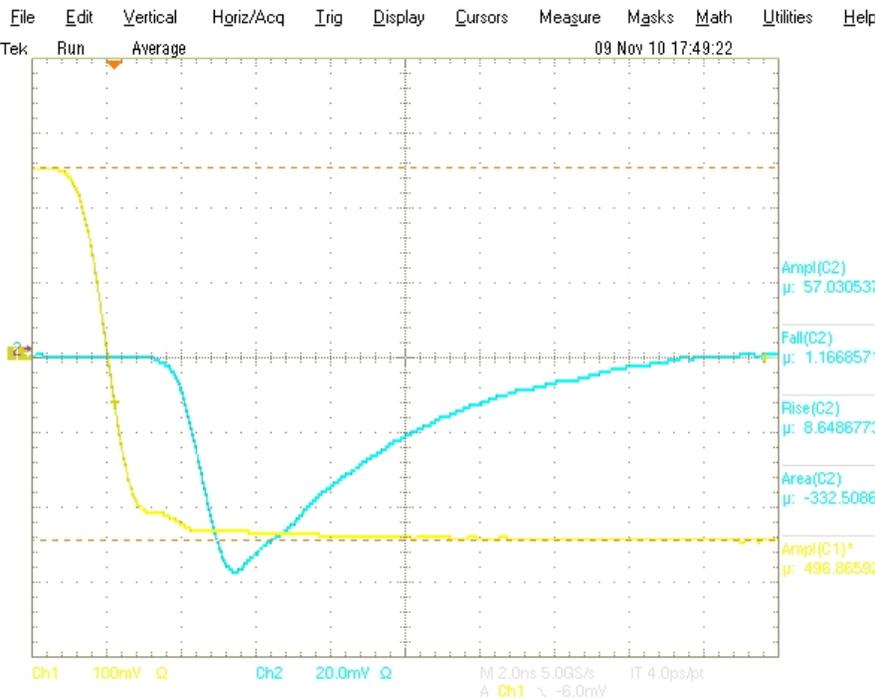
M. Ciobanu, M. Träger, S. Rahman, EBe



DLNA through 0.4pF

Step pulse excitation

DBA2 through 1pF



	DBAI-	DBAI+	DLNA2-	DLNA2+	Ratio
UOUT [mV]	63.3	-62.64	-57.03	57.76	
UIN [mV]	-15.71	15.71	-15.71	15.71	
QIN [fC]	15.71	15.71	6.284	6.284	
RQVpk[mV/fC]	-4.03	-3.99	9.08	9.19	2.3
UN [mVrms]	1.600	1.600	1.306	1.306	0.82
ENC [fC]	0.397	0.4	0.143	0.142	0.355
tR [ns]	0.733	0.840	1.18	1.2	1.47
tF [ns]	0.861	0.991	8.5	8.48	9.4
AREA [pVs]	78.26	-92.52	-332	320.6	3.8
RQVint [Ω]	5410		51870		9.6
ZIN [Ω]	~50		~470*	meas. at 1/2 max	9.5

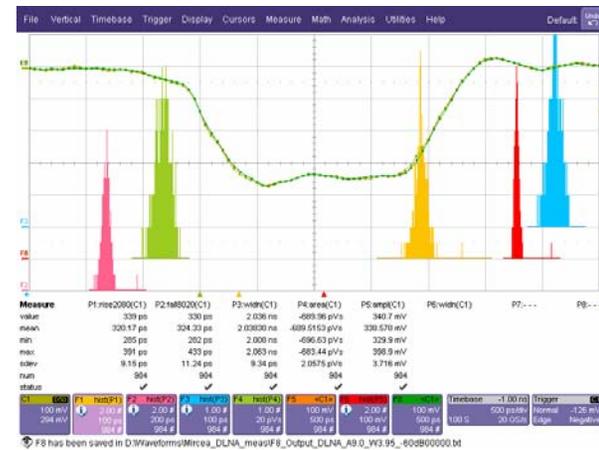
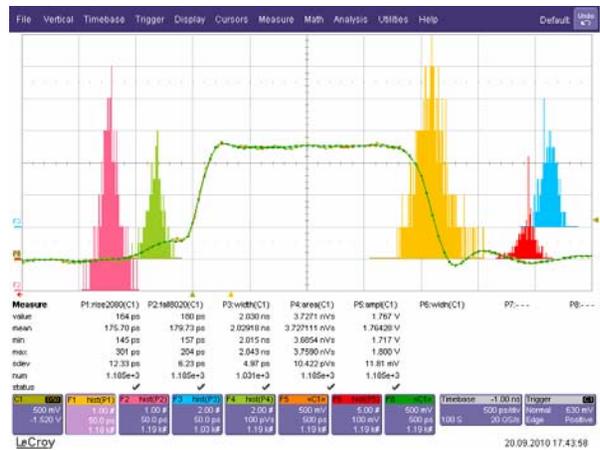
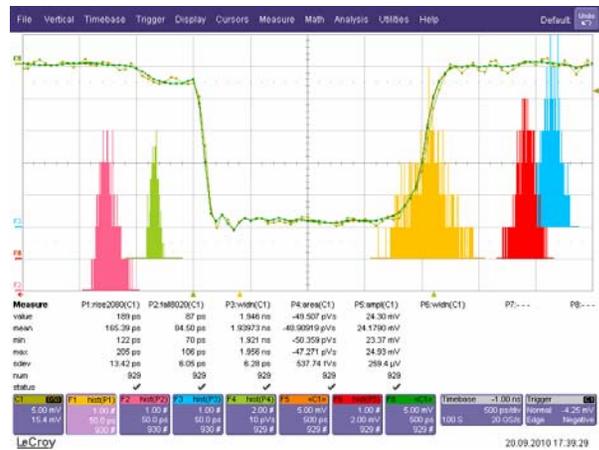
Pulse excitation



measurements set-up

DBA2

DLNA

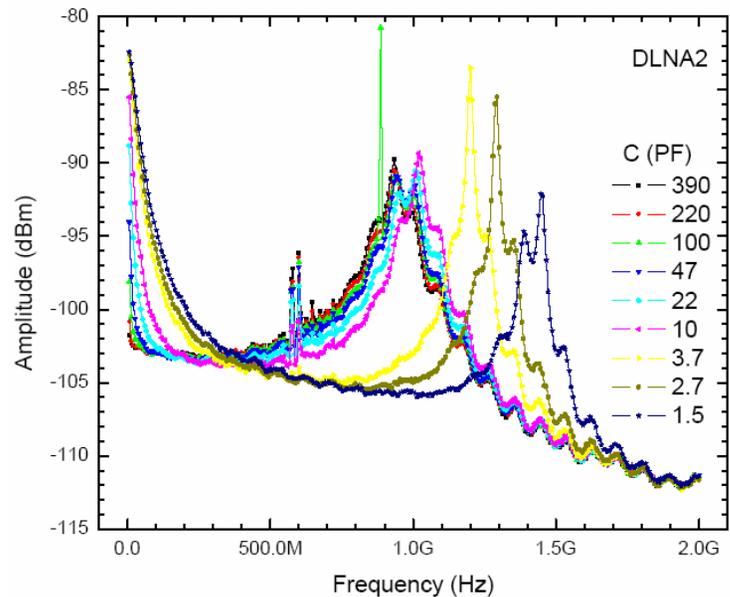
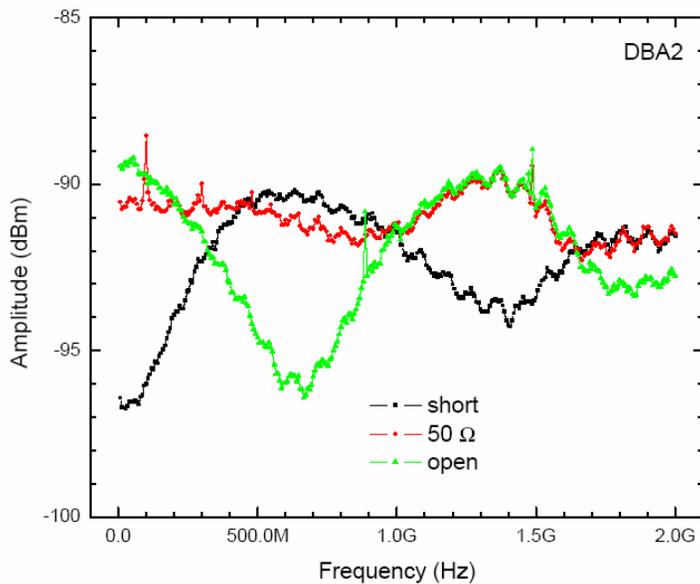
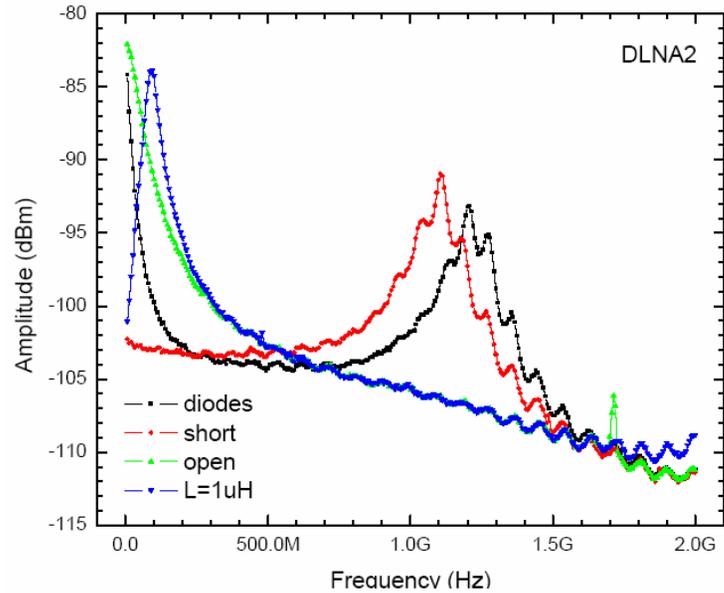
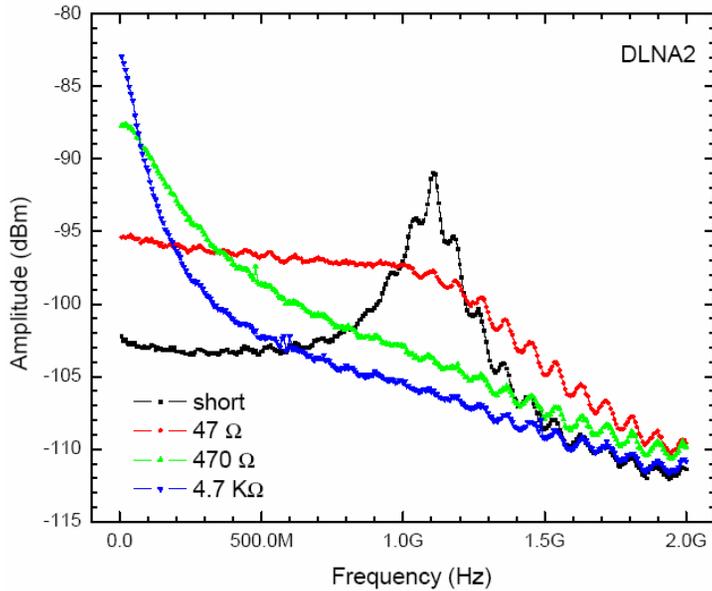


AVTEK +Lecroy
 amplit. 24.30mV
 t1 87ps
 t2 189ps
 tW 1.946ns
 AREA 49.5pVs
 gain
 tR corrected

DBA2
 1767mV
 164ps
 180ps
 2.03ns
 3.727nVs
 72.7
 139ps

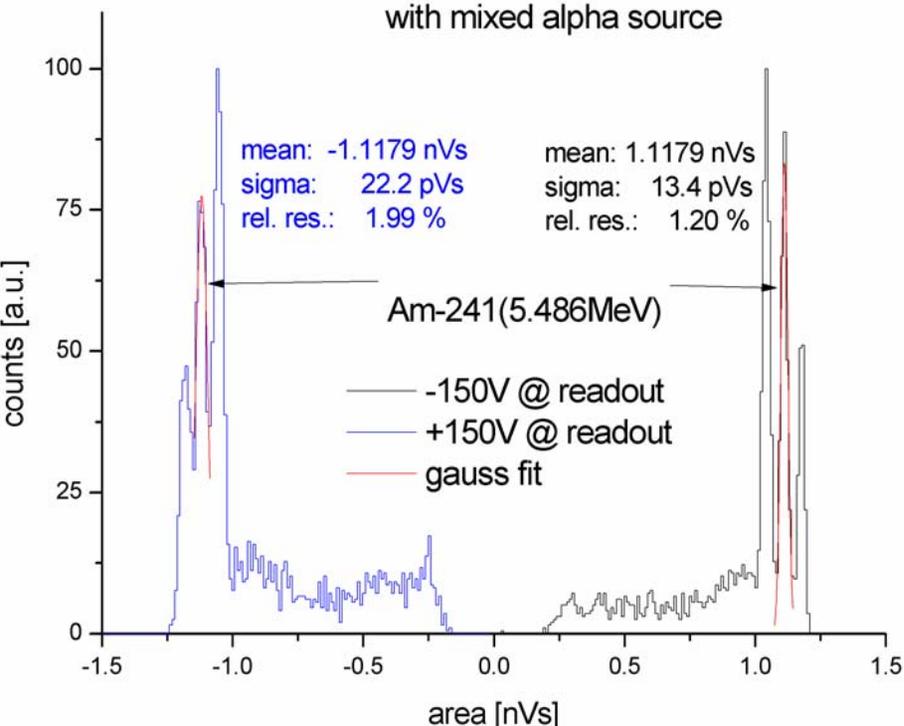
DLNA1
 340.7mV
 330ps
 339ps
 2.036ns
 689.96pVs 0.185
 14.02 0.192
 318ps 2.3

Comparative Noise density measurements

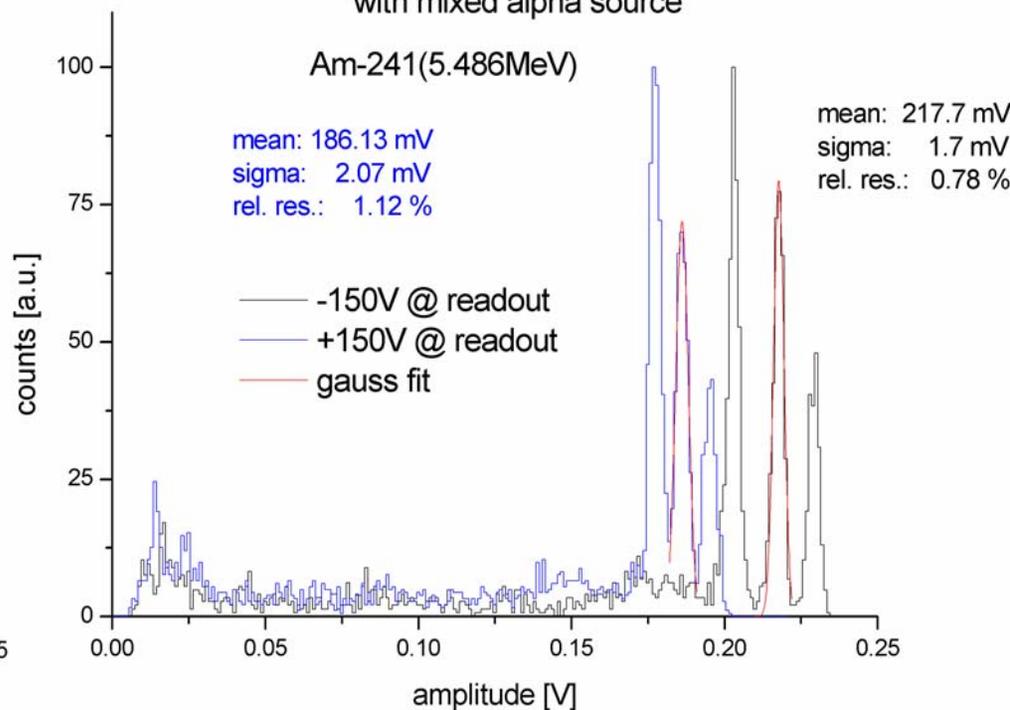




BB measurement in vacuum of E6 SC PhII-15J (100 μ m) with mixed alpha source

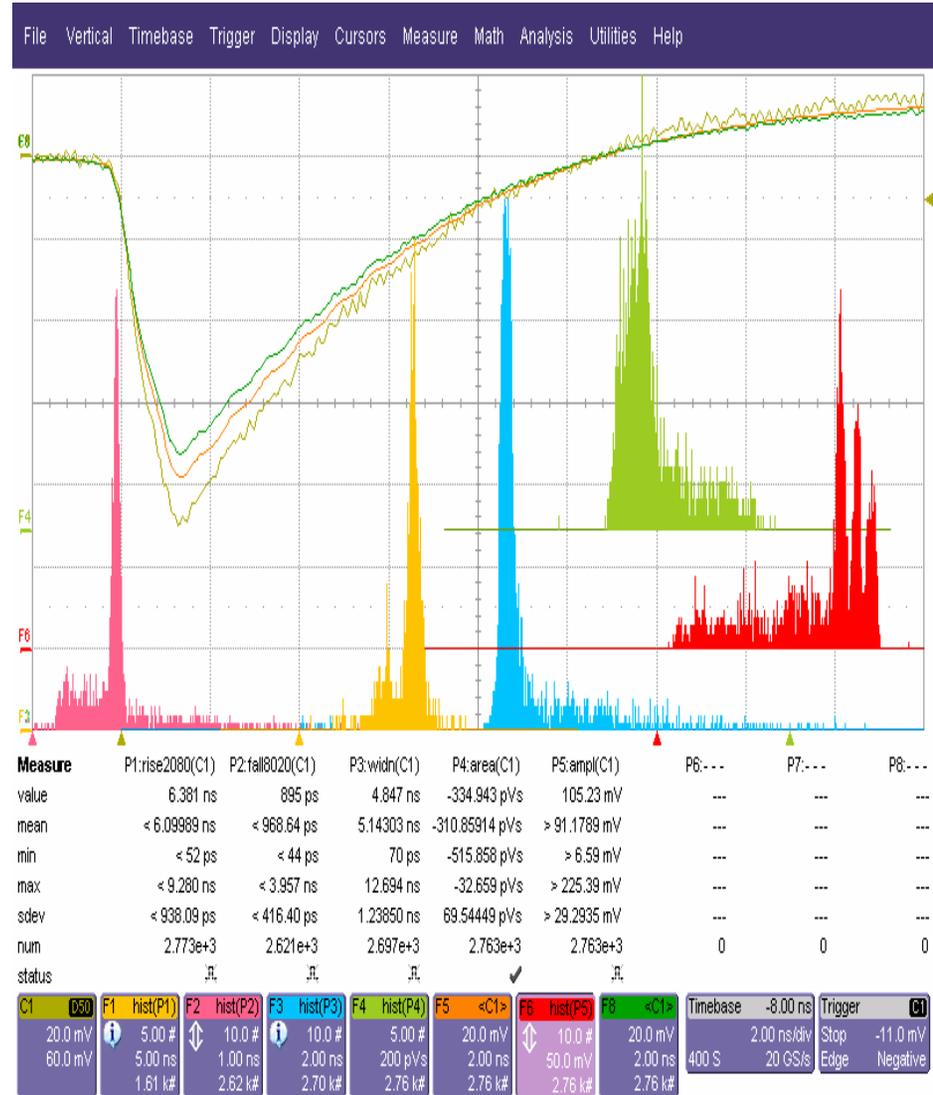
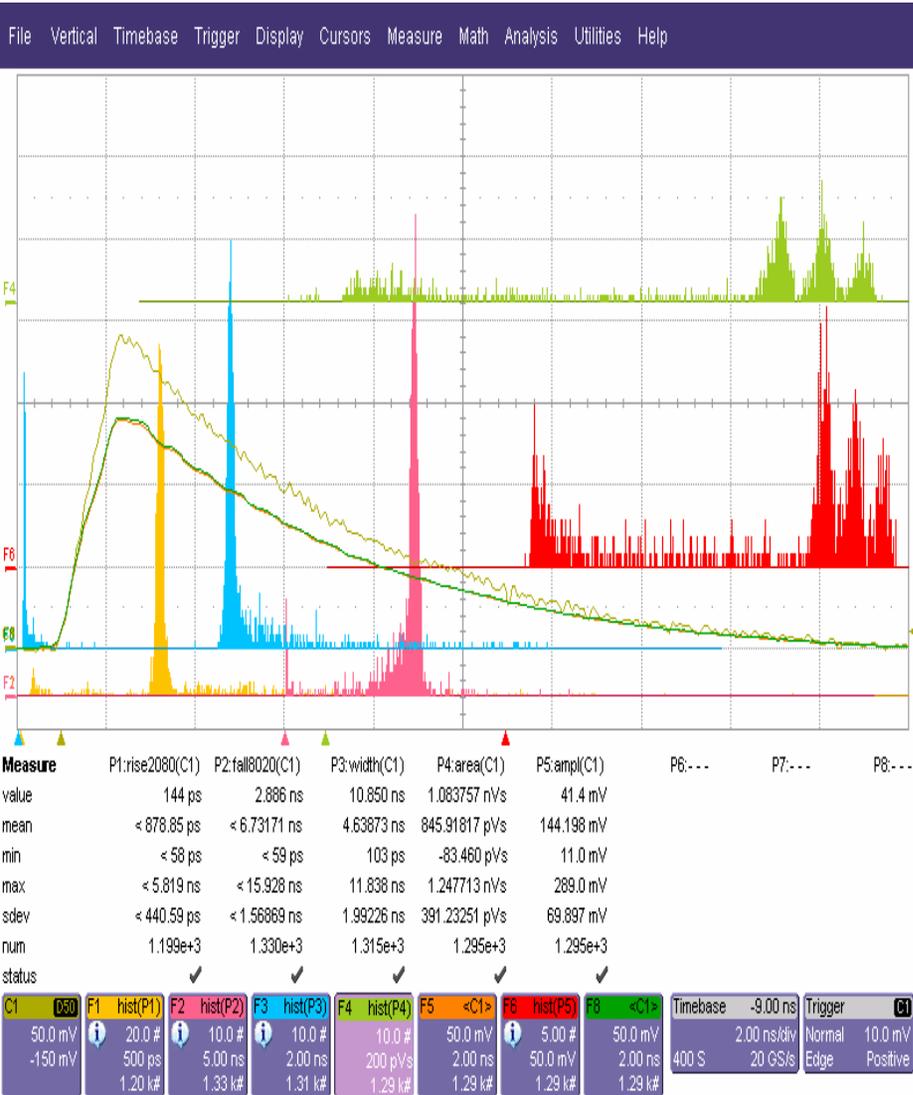


BB measurement in vacuum of E6 SC PhII-15J (100 μ m) with mixed alpha source





Tests with Alpha: DLNA with input protection (right) comparative to without (left)





• Summary

- We have an analytical model of the Diamond Detector – FEE Assemblies

PADI

- PADI-1 and -4 have been tested together with different diamond detectors and the differential connection is stable
- **The use of Time over Threshold information for walk correction was tested in connection with the CAEN-TDC and real detector: works stable**
- The connection PADI to the TDC-GET4 works (see **Jochen Fruehauf** talk).

DLNA

- The first tests are promising.
- The Bandwidth specified in BGU7003 "Data Sheets" is not reached yet.

• Outlook

- We will try to complete the model with the general case of the Shockley-Ramo theorem:

$$i_{e,h}(t) = \frac{Q_{gen} \cdot v(E)_{e,h}}{d} e^{t/\tau_{eff} - t/\tau_{e,h}}$$

Then, the model will be very useful for DoI better understanding!

- When the Data Acquisition based on GET-4 will be finished, together with PADI will be a good candidate for multi channels diamond detection assemblies.
- We will continue to clarify the DLNA schematics to obtain the specified <6GHz Bandwidth. With the input protected and in the specified bandwidth, will be a good tool.

THANK YOU!